# Does Vertical Integration Decrease Prices? Evidence from the Paramount Antitrust Case of 1948 

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#### Abstract

I empirically examine the impact of the 1948 Paramount antitrust case on ticket prices using a unique data set collected from Variety magazine issues between 1945 and 1955. With weekly movie theater information on prices, revenues and theater ownership for an unbalanced panel of 393 theaters located in 26 different metropolitan areas, I find evidence consistent with Spengler's (1950) prediction that vertical integration lowers prices through the elimination of double-marginalization. My results show that vertically integrated theaters charged lower prices and sold more admission tickets than nonvertically integrated theaters. I also find that the rate at which prices increased in theaters were slower before vertical separation than it was after separation. A back of the envelope calculation suggests that losses in consumer surplus due to the Supreme Court resolution and the corresponding sale of theater holdings by Paramount and seven other companies were sizable.


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## 1 Introduction

Understanding the impact of the organization of production is a central topic in Economics. Aside from Adam Smith's description of the internal organization of pin factories, many consider the seminal work of Coase (1937) as the starting point of a literature that was later followed and extended by a number of theories such as transaction cost economics (Williamson, 1975 and 1985; Klein, Crawford and Alchian, 1978), property rights (Grossman and Hart, 1986; Hart and Moore, 1990; Hart, 1995), incentive-based theories (Holmstrom and Milgrom, 1991 and 1994) and postadaptation theories (Simon, 1951; Baker, Gibbons and Murphy, 2002). Despite this wide range of theories and different approaches to this question, the empirical literature in this field has been dwarfed and is lacking to support and test existing theoretical predictions (Lafontaine and Slade, 2007). Therefore, the contribution of this paper is to further the understanding of the impact of vertical integration by documenting differences in performance between integrated and nonintegrated theaters in the US between 1945 and 1955.

This exercise should be of interest to economists in different fields but in particular to those in organizational economics, industrial organization and antitrust policy for three main reasons. First, in 1948 the US Supreme Court determined in the antitrust case of US vs. Paramount that Paramount and seven others were forbidden to use bundling and other clauses that restrained competition in the studio and exhibition market, as well as forced to sell the bulk of their theater branches (only Paramount, RKO, Warner Bros., Fox and MGM owned theaters out of the eight studios involved in the actual case). The latter part of the ruling represents an unprecedented opportunity to examine the changes in economic performance due to an exogenous change in organizational form as the empirical literature in organizational economics suffers of pervasive problems of endogeneity, spurious correlations and reverse causality.

A second reason why the empirical results in this paper should be of interest is the significance of the implications of my findings for antitrust policy design. FTC and Department of Justice have recommended in the past to break up firms charged with abuse of market power into several units as a solution to their corresponding antitrust case. Examples of these are the Standard Oil case of 1911 and the AT\&T case of 1982 as well as the preliminary sentence of the relatively recent Microsoft sentence in 2000. This paper provides micro-evidence (at the theater level) of the impact of this type of sentence in economic performance and therefore helps policy makers design and apply better policies in future antitrust cases of similar characteristics.

The third and final reason is that Spengler (1950), one of the most influential papers in industrial economics, has its origin in the empirical setting studied here. Spengler argued that while horizontal
integration may increase prices and lower welfare, vertical integration may actually decrease prices and increase welfare through the elimination of double-marginalization. Therefore, antitrust policy should not rule against all types of integration and focus in discouraging horizontal integration. While this applies to many industries, Spengler was inspired by the US vs. Paramount antitrust case. Therefore, this paper provides empirical evidence on the empirical setting that motivated the first empirical prediction of the impact of vertical integration on prices and double-marginalization.

In summary, this paper empirically examines the impact of the Supreme Court ruling on movie theater ticket prices in the US versus Paramount antitrust case where Paramount and seven other studios were accused of using their market power to prevent entry in movie production and distribution through movie bundling and vertical integration in movie exhibition. After a number of appeals at lower level courts, the Supreme Court mandated in 1948 that Paramount and the other studios to sell up to $50 \%$ of their theater holding in the US and stop movie bundling. This paper uses the exogenous vertical separation of movie theaters mandated by the Supreme Court to investigate the impact of vertical integration on economic performance and movie ticket prices. In particular, I empirically explore whether theaters that were once vertically integrated had lower prices than independent theaters before and after the Supreme Court sentence in 1948. Following Spengler's predictions, this decrease in prices should come along with an increase in quantity and an increase in consumer surplus and welfare.

For this purpose, I use a new and unique data set collected from old issues of Variety (a specialized movie industry trade magazine) edited between January 3rd of 1945 and December 28th of 1955. This data set provides weekly movie theater information on prices, revenues and theater ownership for a sample of roughly 400 theaters located in 26 different metropolitan areas in the US. The high frequency of the data allows me to control by city, year and theater fixed effects while focusing on changes in price, movie receipts and admission sales before and after the change in theater vertical structure due to the Paramount decree. I also complement these data with information from other sources that provide information on the number of screens of most theaters in my data set (from a website named cinematreasures.com), on the introduction of television (Gentzkow, 2006) and on the city level theater market concentration (Movie Yearbook issues between 1945 and 1955).

In the end, the data for this paper contains roughly 143,000 observations at the movie, theater and week level. A result that comes from simple observation of the data is that most theaters offered double programming (two or more within a week) and uniform pricing across movies and weeks within a theater was the rule (contrary to what is stated in the literature). For this reason, I collapse the data at the theater and week level for most of the empirical section below and therefore
end up working with almost 107,000 observations. This is far more data and variation than utilized in most papers that have previously examined the aftermath of this antitrust case. Therefore, and taking the limitations of the data into account, I offer both cross-sectional estimates and withintheater before-after estimates of the impact of vertical disintegration on movie ticket prices and theater revenues and admissions.

The cross-sectional results suggest that vertically integrated theaters sold their tickets at lower prices than non-integrated theaters both when considering evening shows and matinee prices. Consequently, integrated theaters sold more admission tickets and collected higher revenues even after controlling for size differences. The before-and-after estimates that exploit variation in prices within theaters show a slightly different result and yet similar in spirit. First, the data show that integrated theaters did not experience an immediate increase in prices once they became non-integrated. Second, integrated theaters increased prices at lower rates than non-integrated theaters but they increased prices at faster rates after separating from their parent studios than theaters that were always non-integrated. These results are similar for both evening and matinee prices. Contrary to cross-sectional results, admissions and tickets did not go down at different rates for integrated and non-integrated theaters after separation. After dropping observations polluted by measurement error, I offer some evidence that revenues of integrated theaters decreased at faster rates than those of non-integrated although they started at higher rates.

I also provide evidence at the movie, theater and week level and find similar results to those provided with the data at the theater-week level. I find that integrated theater post lower ticket prices and that their prices do not change whenever showing a movie distributed by other studios. If anything, I find robust results that movies distributed by integrated studios sell at lower ticket prices regardless of who owns the movie theater where they are showing. This suggests that even after vertical disintegration major studios would still contract with theaters that charged low prices as a way to deal with double-marginalization and escape high prices.

Finally, I also estimate logit demand and price sensitivity taking advantage of rich variation in movie programming across theaters, cities and weeks. My estimates are very similar to those of Davis (2006) but given the low prices of over 60 years ago the implied elasticities range between 0.45 and 0.75 . Given these and my reduced-form results, the change in organizational form increased prices $10 \%$ over five years (in excess to what they would have increased). That would diminish attendance by $4.5 \%$ to $7.5 \%$ on average aside from the increase competition from television and the alleged change in movie quality. Although it is difficult to quantify social welfare since I have no theater cost information available, it is easy to see that consumer welfare clearly went down as a result.

Given the importance of the Paramount case, this is obviously not the only empirical study offering evidence on the aftermath of the Supreme Court ruling on this instance. Whitney (1955) was the first to analyze the aftermath and impact of the Paramount case through a number of interviews with industry practitioners. He notes that the impact in supply may have increased quality but also increased prices leaving the net effect on consumers ambiguous. This case also inspired several studies of bundling and its consequences such as Kenney and Klein (1983 and 2000) as well as Hanssen (2000). More recently, others such as De Vany (2004) and coauthors have investigated the effect of the case by looking at the impact on market stock values, among other dimensions, and found that the case had no effect on firm's profits. While researching the uniform pricing practices in the movie-theater industry, Orbach and Einav (2007) argue that the resolution of the case restrained pricing practices in this industry. Gil (2008), not the author of this paper, investigated the legal standing of the antitrust case while focusing on the relevance of minimum pricing clauses and their anticompetitive consequences for the motion picture industry. Finally, the two papers that are closer to my paper here are perhaps Hanssen (2010) and Silver (2010). While the former argues that studios vertically integrated into exhibition to implement a sustainable collusive agreement that would favor each other's movies screenings, the latter explores the impact of the vertical separation of theaters on movie production using historical data and finds that ticket prices were unaffected by the Paramount case and that, if anything, larger transaction costs diminished total surplus in this industry beyond potential gains in consumer surplus. This paper contributes to this literature by exploring a long unbalanced panel data set at the theater level and therefore answering questions that previously were only explored with aggregate and more time concentrated data.

The empirical contribution of this paper differs from those of others and my own previous work in two ways. On one hand, many others have studied the impact of vertical integration on prices as a way to finding out whether vertical integration affects outcomes through lower costs or higher productivity. Recent examples of this literature are Hastings and Gilbert (2005) and Hortacsu and Syverson (2007). While the former examines the effect of vertical integration on gasoline pricing in California finding a positive correlation between vertical integration and wholesale pricing, the latter paper investigates the effect of vertical integration on prices in the cement and readymixed concrete industry and finds that prices fall and quantities rise when markets become more integrated. Hortacsu and Syverson (2007) interpret their results as an increase in productivity due to a more efficient use of logistics for larger and vertically integrated firms in these industries. My paper explores the relation between vertical integration and prices in a setting where improvements on productivity are unlikely and therefore the increase in prices after vertical separation must come
from the emergence of a double mark-up.
On the other hand, my own previous work has examined related topics. In particular, Gil (2010) examines the empirical relation between movie characteristics and vertical integration at the studio level between 1940 and 1960 finding that the Paramount case decreased the number of movies produced by studios, increase the duration of movies and increased the number of coproductions in the industry. Gil (2009) explored the impact of vertical integration in the Spanish movie industry and found that integrated theaters show their movies longer than non-integrated theaters and that integrated distributors are more likely to distribute movies of more uncertain performance. This paper adds to my previous work in that I can answer more directly the question of how vertical separation (integration) affects consumer surplus as the data allows for theater level variation in prices and organizational form during a time when price uniformity across theaters was not the norm.

The remainder of the paper is organized as follows. The next section describes the institutional details and contracting practices surrounding the Paramount antitrust case and it describes the data collected and used in the paper. Section 3 presents a simplified version of the model in Spengler (1950) using revenue-sharing contracts between distributors and exhibitors and provides testable implications. Section 4 shows reduced form results of the impact of vertical integration on ticket prices, admissions and box office revenues as well as providing robustness checks using variation at the movie and theater level. Section 5 estimates a simple logit demand model and provides back of the envelope calculations using implications from the previous reduced form results. Finally, section 6 concludes.

## 2 Institutional Details and Data Description

This section describes institutional detail around the 1948 Paramount antitrust case. Before that, let me describe the agents that are relevant to the case. This industry is mainly composed by three types of agents: producing studios, distributors and exhibitors. Studios produce movies and solve coordination problems between all agents involved in production, from directors to producers passing through script writers and acting casts. Movie distributors are those agents that serve as intermediaries between studios and exhibitors as they receive movies from the former and deliver them to the latter. Finally, exhibitors own theaters that play movies provided by distributors and sell admission tickets to viewers.

The incentives driving actions of these agents are not providing a conflict of interest between studios and distributors as they both benefit from higher revenues from the movies, but they are
in conflict with the incentives of theaters. It is important to note that during the period of analysis there were no ancillary markets such as DVD sales or TV markets (television audiences were just developing at that stage). Therefore the main conflict of interest between theaters and studios/distributors were the incentives to cut the run length of movies too short (from the studio perspective) and increasing audience turnover through high admission prices and increasing revenues from the theaters' concession stands. Since ancillary markets did not exist, all three agents made their living out of the box of revenues collected at theaters. This made control over theater actions more important than what it is nowadays.

### 2.1 Contractual Environment

Following one of the worst years for Hollywood, the Department of Justice filed suit against Paramount Pictures and seven others: Warner Bros., MGM, RKO, Fox, Columbia, Universal and United Artists. The decision of filing suit came after the independent "Snow White" was the great winner of the Academy Awards in 1938 and a feeling emerged that big movie studios were using their size and market power to cut in quality while preserving their number of showings. ${ }^{1}$

The Department of Justice accused the defendants of restraint of trade through three main points. First, the use of block booking and blind bidding to assure marketing their movies and limit entry by independent studios. Second, the use of their own theater branches to gain market power in the theater market. Third, and finally, they were accused of colluding among them to drive out of business other studios and other exhibitors. The accusations, and therefore potential penalties, were targeting two different groups of studios. On one end, there were the five majors that owned production, distribution and exhibition (Paramount, Warner Bros., Fox, MGM and RKO) and on the other side, there were the three minors (Columbia, Universal and United Artists) that only owned production and distribution. The former group was subject to all three accusations, while the latter was only accused of block booking and blind bidding.

Given the difference in stakes, the big five rushed in 1940 to negotiate a decree with the Department of Justice according to which they would be able to keep their theater divisions but would renounce to the use of block booking and blind bidding together with other contractual practices. The only condition was that the three minors had to sign this decree as well by 1942. As the three minors did not own theaters and relied mainly in the contractual practices under scrutiny, Columbia and Universal failed to sign the decree within the deadline. As a result, the case was reopened and taken to court in 1945. At this time, the studios could not hide behind the state

[^1]of the economy as this was booming after the war (1946 is a historical record in admission tickets sold). Instead, the studios claimed that the demand overseas was weak at that point (Europe was under reconstruction after World War II). ${ }^{2}$ These arguments were not convincing enough for the Department of Justice and in 1946 the New York District Court ruled against the studios and banned bundling as well as other contractual practices but allowed the five majors to keep their theater branches.

The ruling did not satisfy any of the parts involved in the case and both the plaintiff and defendants decided to appeal to the Supreme Court. After a round of appeal, in 1948 the Supreme Court ruled against the studios and decided not only to ban bundling but also to force the vertical separation of theaters from the five majors. After that, the case went back to the New York District Court for confirmation while the Supreme Court encouraged the eight defendants to sign a decree and save millions in legal fees as the case could go on for much longer. The New York District Court confirmed the sentence by the Supreme Court and therefore the defendants proceeded to sign the second decree.

### 2.1.1 The Aftermath of the Paramount Case

After the sentence was confirmed, the three minors were resigned to abandon block booking and blind bidding practices as well as other vertical restrictions included in their distribution contracts. This same resignation did not take place among the big five studios whom, for the most part, decided to fight to keep their theater branches. And so different rounds of negotiations started between the five majors and the Department of Justice to save their respective asset holdings in the exhibition market.

The first of the five to sign the Paramount decree was RKO in December of 1948. Howard Hughes was the owner of RKO by then and saw through the Paramount decree a way to level competition with the other four majors since RKO was the smallest of all five studios. Therefore by agreeing immediately (December 31st 1948) and signing the Paramount decree, Hughes was looking for a rapid institutionalization of the Supreme Court ruling. Despite this, the actual divestiture of RKO theaters did not occur until two years later in December of 1950 when the RKO Theater Company spun off from RKO pictures.

Paramount followed RKO shortly after signing the decree in December of 1949. It differed from RKO in that it immediately spun off its theater holdings from the Balaban and Katz theater

[^2]divisions and grouping all other theaters into the United Paramount Theaters company. Paramount had started investing in the flourishing TV industry and, if convicted in the Paramount case, it may have been prohibited from owning interests in other vertically related media industries. Paramount identified the potential losses of continuing the ongoing litigation process and decided to sign the decree and not delay any longer the separation from its theatrical divisions.

Not much later Warner Bros. and Fox signed the decree in 1951 but, similarly to RKO, they did not separate from their theater branches until 1953. Warner Bros. named its theater division Stanley Warner Corporation and Fox named its Fox National Theaters. Finally, Loew's theaters that had acquired MGM earlier (the only case of backward integration among the five majors) signed the decree in 1954 and spun off the MGM studios from Loew's theaters. The vertical separation of MGM theaters was slightly more complex than other studios' as MGM had developed a number of interlocking arrangements with other exhibition companies that took five years to undo.

In short, the resolution and aftermath of the Paramount antitrust case changed completely the organization and structure of transactions in the distribution and exhibition motion picture industries. On the one hand, arms' length transactions became regulated as block booking and blind bidding became prohibited. Studios were now forced to distribute and contract their movies one by one increasing transaction and search costs for both distributors and exhibitors and disallowing all kinds of risk sharing across movies within studio cohort of movies. In return, this new way of organizing transactions would increase competition between studios through the increase in studio entry, and therefore benefit final consumers by an improvement in movie quality. On the other hand, the case also changed (increased) the number of market transactions as it banned vertical integration of studios and distribution into exhibition. This increased the studios' exposure to risk at the production stage, while decreased market power concentration in the theater market hopefully benefitting consumer surplus through lower prices and theater entry increasing variety of choices for final consumers.

In the end, this case left a quasi-natural experiment where firms (studios in this setting) were forced to changed the way they organized transactions from within the firm to market transactions and doing so at different points in time. This represents a unique opportunity to further our understanding of the effect of vertical integration (or vertical separation) on economic outcomes and in particular here on prices.

### 2.2 Data Description

In this paper, I use a unique data set with movie theater information contained in old Variety magazine issues published between January 3rd 1945 and December 28th 1955. The resulting data
set of this collection effort contains weekly movie theater information for a total of 393 theaters in 26 different cities. As the number of theaters and cities changes week by week, the data set is an unbalanced panel data set for which I offer a summary in Table 1. The end of each row offers the total number of theaters for each city that Variety offered information. It is easy to conclude that even though there is turnover of theaters there is also a lot of repetition in reporting which allows this paper to exploit high frequency panel data. See also that Variety reported information on 23 cities in each one of the years in the sample and only three other cities appear only for one year (Columbus, OH; Birmingham, AL; and, Lincoln, NE). ${ }^{3}$

Figures 1A and 1B show how Variety displayed the information in its weekly issues. The magazine reported information on a sample of movie theaters within a sample of cities that aimed to provide the big picture of the status of the movie industry and attendance in the US. Let us remember that television was only starting to develop in those years and therefore Variety was the main provider of such information in an integrated manner. For each of the theaters reported, Variety provided information on the theater capacity, admission prices for matinees and evening shows as well as theater ownership. Aside from the theater specific information, the publication also contained information on the movie or movies playing in that theater, the studio that produced the movie, the number of weeks that the movie had been playing in that theater as well as whether the movie was a rerun and an estimate of the weekly box office of the movie theater. Finally, Variety also provided the same information on the movies screened during the previous week. In this paper, I use this information instead of the current week information because the revenue numbers are more accurate than the within week reported projections.

Tables 2, 3 and 4 provide a closer view of the data for the cities of Boston, San Francisco and New York respectively. Each one of these tables list the theaters that appeared in Variety over the 11 years covered in the sample specifying for any given years the number of weeks that information is reported. ${ }^{4}$ The tables also note in yellow what theaters, and during what years, were owned by studios. Therefore, these tables show that there is a substantial amount of variation in vertical integration across and within theaters. This makes for an excellent setting to study the relation between vertical integration and theater performance.

Overall I end with 143,200 movie/theater/week observations. Contrary to general belief in previous literature, theaters did not charge different prices for different movies and therefore theaters showing several movies at the same time would charge the same price for all movies and for differ-

[^3]ent movies showing in different weeks. Given that uniform pricing was a spread-out practice and that the goal of this paper is to investigate the impact of organizational form on prices, I collapse the data to the theater/week level leaving 106,702 observations for the main part of the empirical analysis in this paper. Figure 2 shows weekly admission prices for evening and matinee shows for Radio City Music Hall in New York City between January of 1945 and December of 1955. It is easy to see that despite the increase in prices over a span of 11 years the theater kept prices constant as well over large periods of time, ${ }^{5}$ and therefore it makes sense to collapse the data at the theater and week level for the empirical analysis below.

Variety offers no information regarding the number of screens operated by each theater. The fact that some theaters regularly screen 2,3 or 4 movies in a week seems to indicate that there may exist differences in the number of screens across theaters and therefore it became imperative to complement the data set with this information as this may translate in differences in costs that are passed on to prices. For this reason, I looked for each theater listed in Variety in the website www.cinematreasures.com which documents the existence and characteristics of old theaters. ${ }^{6}$ As most theaters do not exist any longer, the information is gathered through contributions from individuals that attended the movie theater back in the day or that are related to previous owners. Most testimonials provide information on when a theater was rebuilt and increased its number of screens as well as reseated to fit more or less people. Given this information, I am able to collect and check information on the number of screens and seats during the period of time of my sample.

It is also important to highlight that during this time period television was introduced in the US spreading quickly across cities and states to reach over $80 \%$ of US households in 1960. This event provides a source of exogenous variation in competition faced by theaters in most cases creating exit despite strategic considerations (Takahashi, 2011). It is useful then, before presenting summary statistics and proceeding with the empirical analysis, to understand the kind of variation in TV adoption as exogenous source of theater competition.

The top of Figure 5 depicts the evolution of the percentage of US households with a TV set between 1940 and 1960. As described above, almost no households owned a TV prior to 1945 and this percentage spiked shortly after up to near $90 \%$ by 1960. As for my sample, Table 5 provides the year of TV introduction for all cities and markets in my data set according to Gentzkow (2006). It is easy to conclude that bigger cities were early adopters (NYC, Chicago, LA and Washington DC) and smaller cities were late adopters (Portland, OR, and Lincoln, NE). The bottom of Figure

[^4]5 displays then the cumulative population in our sample that is exposed to the introduction of television (according to data in Table 5) and shows a striking resemblance with the top of Figure 5. Therefore it is fair to assume that theaters in my sample of cities follow a similar pattern to the US as a whole in this regard.

I proceed in Table 6 to report summary statistics for the main variables used in this paper. First of all, note that $61 \%$ of observations belong to theaters that at some point were owned by a studio even though only $34 \%$ belong to theaters actually owned by studios. See then that the average evening price is $\$ 1$ but that value goes from 0.25 to 3.6 and that theaters that were ever integrated charged on average (across cities and years) $\$ 0.007$ more than independent theaters. The average price for a matinee show is $\$ 0.59$ where integrated theaters charge 0.034 less than nonintegrated theaters. On average, theaters collected $\$ 14,232$ and sold 14,349 tickets while having only one screen and 1,575 seats per screen. It appears that theaters ever integrated have the same number of screens than non-integrated theaters, but had more seats and therefore collected higher box office revenues and sold more tickets than non-integrated. Finally, the empirical analysis also includes variables that measure the number of years since TV was introduced in a market and the Hirschman-Herfindhal Index (HHI hereafter) using theater counts by theater circuit and city. It turns out that independent theaters are located in more concentrated markets and markets that adopted television earlier than theaters that were ever integrated.

Note that a complication from the data is that in the second half of the period Variety started reporting information within cities in movie theater groups that charged the same admission prices and showed the same movies. This created problems of seat capacity and revenue reporting as seats were reported jointly and average movie theater revenues across theaters were reported. I address the first issue by fixing the number of seats within the lifetime of a theater. ${ }^{7}$ Since I cannot directly address the second issue, I coded up when and where joint revenue reporting takes place and I provide robustness checks without this set of observations.

Table 7 provides summary statistics at the theater/movie/week level for those variables that have variation at that frequency. See for example that theaters that were ever integrated showing movies of the studio that owned them represent $18 \%$ of all 143,200 observations while a total of $15 \%$ are from integrated theater showing movies from studios that currently own them. These data also shows that theaters that were ever integrated showed more movies from the big five studios and less movies from the three minors than independent theaters. Within the subsample of theaters ever integrated, these theaters showed more movies from the big five and less from the minors when

[^5]they were in fact integrated.
As time variation is relevant in this project, I present the evolution of the main variables of interest across years in Table 6. Figure 3 displays yearly averages for revenues, and evening and matinee shows admission prices as well as the share of integrated movie theaters in the sample. It is easy to see that both evening show and matinee prices increase between 1945 and 1955 from 0.8 and 0.4 to 1.3 and 0.8 respectively. Similarly, the share of integrated theaters in the sample starts at $60 \%$ (as large cities are overrepresented in the data) in 1945 and goes down to $0 \%$ in 1955. Finally average reported revenues go down from almost $\$ 16,000$ to barely $\$ 14,000$. As I compute admission tickets as the ratio between revenues and evening shows prices, it is easy to see that admission ticket sales will go down more sharply than revenues given the rapid increase in prices observed in the data.

Figure 4 shows the evolution of prices, revenues and admission tickets for independent and ever integrated theaters. The top graph in Figure 4 shows how evening and matinee shows changed during this period of time. If anything it is easy to see that there is almost no difference in matinee prices across theater types while evening prices for theaters ever integrated seem to have increased faster than those of independent theaters. The bottom graph displays box office revenues (solid line) and admissions sold (dashed line) by theater type. Aside from theaters that were ever integrated selling more admissions and collecting higher revenues, there does not appear to be any difference in how these lines evolve over time according to these graph.

Despite the clear unconditional negative relation between integration and prices in the crosssection (Figure 3) and the apparent similarities in trends over time (Figure 4), some of these are due to compositional changes in the sample as the theaters reported by Variety changed across weeks and years. Therefore, the empirical analysis below takes into account this and rely on within market and within theater variation across time to estimate the relation between prices and organizational form.

## 3 Revisiting Spengler's Theoretical Framework

In this section I adapt the model of Spengler (1950) to the case of revenue sharing between upstream and downstream non-integrated firms. As I show below, the model results in exactly the same implications as the original paper.

### 3.1 A Model of Double-Marginalization with Revenue Sharing

Let me model the interaction between an upstream producer $j$ and a downstream retailer $i$. Similarly to Spengler (1950), the downstream retailer faces a linear demand function $P(Q)=a-b Q$. Following institutional features explained above, I assume that the cost function of the upstream producer and downstream retailer are such that $C^{U}(Q)=F^{U}$ and $C^{D}(Q)=m Q+F^{D}$ respectively. When upstream and downstream firms are not integrated, they split revenues using revenue sharing contracts such that the upstream producer keeps $s$ percentage of the revenues and by default the downstream retailer keeps $1-s$ percentage.

I first consider the case when upstream and downstream producers are not integrated. Given the assumptions above, the downstream retailer maximizes profits such that

$$
\max _{Q}(1-s)(a-b Q) Q-m Q-F^{D}
$$

which yields

$$
Q^{N I}=\frac{a-\frac{m}{1-s}}{2 b}
$$

and

$$
P^{N I}=\frac{a+\frac{m}{1-s}}{2} .
$$

Taking this into consideration, the upstream producer problem is

$$
\max _{s} s P(s) Q(s)-F^{U}
$$

such that

$$
\begin{aligned}
& Q(s)=\frac{a-\frac{m}{1-s}}{2 b}, \\
& P(s)=\frac{a+\frac{m}{1-s}}{2},
\end{aligned}
$$

and

$$
(1-s) P(s) Q(s)-m Q(s)-F^{D} \geq 0
$$

Taking FOC, $s^{*}$ is the value that solves

$$
\frac{a^{2}}{2} s^{3}-\frac{3 a^{2}}{2} s^{2}+\left(\frac{3 a^{2}}{2}+\frac{m^{2}}{2}\right) s+\left(\frac{m^{2}}{2}-\frac{a^{2}}{2}\right)=0
$$

and such that $0<s^{*}<1$.

Let me now consider the case when upstream and downstream agents are integrated. In this case, the integrated firm maximizes profits such that

$$
\max _{Q}(a-b Q) Q-m Q-F^{D}-F^{U}
$$

and solving FOC I find that

$$
Q^{I}=\frac{a-m}{2 b}
$$

and

$$
P^{I}=\frac{a+m}{2} .
$$

When comparing $P^{I}$ and $Q^{I}$ with $P^{N I}$ and $Q^{N I}$, it is easy to show that $P^{I}<P^{N I}$ and $Q^{I}>Q^{N I}$ for any $0<s^{*}<1$.

### 3.2 Testable Implications

The model (as Spengler's original paper) above provides two testable implications:

- The model predicts that vertically integrated retailers will charge lower prices than nonintegrated retailers ceteris paribus. Therefore, a theater will charge higher prices when going from integrated to disintegrated.
- The previous decrease in prices also suggests that non-integrated retailers will sell less units than integrated retailers ceteris paribus.

Finally, a third implication that I can evaluate with the data at hand suggests that a change from integration to non-integration is associated with a decrease in consumer surplus ceteris paribus. In the next section, I take these implications to the data.

## 4 Empirical Evidence

In this section, I first test the direct implications of the model by empirically analyzing the relation between prices, revenues and tickets sales, and vertical integration at the theater level. I also provide robustness checks by dropping observations with severe measurement error in revenue reporting as well as repeating the cross-sectional analysis at the theater, movie and week level.

I leave for the following section the estimation of movie theater demand and I make "back of the envelope" calculations on the loss of admissions due to the increase in prices associated with the wave of disintegration in the US movie theater industry.

### 4.1 Higher prices, Lower Revenues?

To establish the empirical relation between outcomes (prices, quantities and revenues) and vertical integration, I first run OLS regressions with the following specifications,

$$
\begin{equation*}
y_{i j w t}=\alpha_{0}+\alpha_{1} \text { Ever_Integ }_{i j}+\alpha_{2} \text { Integ }_{i j w t}+\alpha_{3} X_{i j t}+\gamma_{t}+\rho_{j}+\epsilon_{i j w t} \tag{1}
\end{equation*}
$$

and

$$
\begin{gather*}
\ln \left(y_{i j w t}\right)=\alpha_{0}+\alpha_{1} \text { Ever_Integ }_{i j}+\alpha_{2} \text { Integ }_{i j t}+\alpha_{3} \text { Time }_{t}+ \\
+\alpha_{4} \text { Ever_Integ }_{i j} * \text { Time }_{t}+\alpha_{5} \text { Integ }_{i j t} * \text { Time }_{t}+\alpha_{6} X_{i t}+\gamma_{t}+\rho_{i}+\epsilon_{i j w t} \tag{2}
\end{gather*}
$$

where $y_{i j w t}^{k}$ stands for the left hand side variables in the empirical analysis (evening prices, matinee prices, ticket admissions and box office revenues) by theater $i$, city $j$, week $w$ and year $t$. I use the first specification above to estimate cross-sectional differences, while I use the second specification to estimate differences in changes in prices over time. Right hand side variables in the first specification are a dummy variable Ever_Integ in $_{i j}$ that takes value 1 if theater $i$ in city $j$ was ever integrated and 0 otherwise, a dummy variable Integ $_{i j w t}$ that takes value 1 if theater $i$ in city $j$ is integrated in week $w$ of year $t$ and 0 otherwise, and theater and time-varying characteristics $X_{i j t}$ such as the number of screens and seats per screen at theater $i$, the number of years since television was introduced in market $j$ and the HHI for market $j$ in year $t$ as well as city and year fixed effects to capture city and year specific unobservables correlated with pricing decisions at the theater level. The second specification varies from the first one in that the dependent variable is in logs and the independent variables include a time trend variable Time $_{t}$ (week, month or year) and its corresponding interactions with the dummies described above Ever_Integ $i_{i j}$ and Integ ${ }_{i j w t}$. This second specification also includes theater and year fixed effects.

In Table 8 I show results of running OLS regressions for specifications 1 (columns 1 to 3 ) and 2 (columns 4 to 6 ) of evening prices on the independent variables detailed above. Results in column 1 show no statistical relation between prices and integration across years and cities as it was clear in Figure 4. In column 2 I introduce city fixed effects to account for variation across cities and I find that theaters when integrated charge 4 cents less than independent theaters. There is no apparent difference between prices of theaters ever integrated and independent theaters. Column 3 introduces city and year fixed effects and shows a difference of again roughly 4 cents between integrated and independent theaters. Note that a difference in mark-up of around $4 \%$ (the average price charged in the sample is $\$ 1$ ) is a fairly reasonable estimate for savings due to the elimination of double-marginalization and therefore these seem fairly plausible results.

This first three specifications also include controls for the number of screens and the capacity per screen, but these appear to be statistically insignificant. Evening prices are also positively correlated with the number of years since television was introduced in a market and negatively correlated (if anything) with market concentration.

The second set of specifications in Table 8, columns 4 to 6 , uses $\ln [$ Evening_Price $]$ as dependent variable as well as time trends and interactions with the different organizational form dummies used previously. I start with column 4 where I include theater and year fixed effects together with a within year week trend named YearWeek (taking values between 1 and 53) interacted with Ever_Integ and Integ dummies. Results show that prices of independent theaters within a year go up at a weekly rate of $0.0004 \%$ and that this differs from those theaters ever integrated ( $0.0011 \%$ ) and those in fact integrated $(0.0007 \%)$. In other words, theaters that are ever integrated increase prices at a faster rate than independent theaters, but the former increase prices at a slower rate when are in fact integrated. Columns 5 and 6 introduce month-year and year trends respectively. The results in these two columns are consistent with those in column 4. Let us focus on the results of column 6. Within the lifetime of a theater, evening prices went up on average at a yearly rate of $2.4 \%$. Theaters that were ever integrated increased prices at almost $2 \%$ faster than other theaters, but while integrated their prices grew as slowly as $0.4 \%$ slower than theaters that were independent all along. If anything, the number of years since introduction of television is positively correlated with evening prices while HHI has no statistical significance.

In summary, the results in Table 8 show that when comparing integrated and non-integrated theaters in the cross-section within a city and week integrated theaters charged 4 cents less ( $4 \%$ less) than independent theaters. When comparing changes in prices over time, this table shows that integrated theaters increased prices $0.4 \%$ slower than independent theaters and after becoming independent their prices increased at a rate $2.1 \%$ faster than before and $1.7 \%$ faster than theaters that were independent all along.

Table 9 repeats the same exercise with matinee prices and find similar results. Column 1 shows no statistical relation between vertical integration and matinee prices. If anything the number of screens and the capacity per screen are negatively correlated with matinee prices, and the number of years since television introduction is positively correlated with prices. In columns 2 and 3 I introduce city and city/year fixed effects respectively. The results there show that theaters that were ever integrated charged 4 cents less than theaters that were independent all along but these theaters did not seem to charge statistically significant lower prices when they were in fact integrated. As in Table 8, columns 4 to 6 use the $\ln [$ Matinee_Price $]$ as dependent variables and week, month and year time trends respectively with organizational forms interactions in the right hand side as well
as theater fixed effects. The results are similar across specifications in that all three indicate that even though theaters that were ever integrated increased prices at a faster rate than independent theaters, when integrated these theaters increased prices at lower rates than independent theaters. Therefore, the results for evening shows and matinee shows prices are very similar.

In Table 10 I examine the relation between admission tickets sold and vertical integration with the same specifications as in Table 8 and 9. It is important to note here that Admissions (tickets sold) is measured with noise as this is the result of dividing reported revenue (rounded up or down by Variety most of the time) by the reported evening show price (even though matinee shows must have had positive attendance). Having this caveat in mind, the cross-sectional regressions in columns 1 to 3 show that integrated theaters sold more tickets only when they were in fact integrated and not after becoming independent theaters. These specifications also show that the number of screens and capacity per screen is positively correlated with admissions sales and that every year since TV introduction was associated with up to 800 weekly attendees less. Theaters in more concentrated markets were also selling less tickets. Columns 4 to 6 (as in the previous two tables) use $\ln [$ Admissions $]$ as dependent variable and introduces week, month and year time trends respectively. Interestingly enough there is no difference in decrease rates in admissions between integrated and independent theaters.

Finally, Table 11 repeats the same exercise with weekly box office revenues per theater as dependent variable. The cross-sectional results here show no difference in revenues between integrated and independent theaters. Similarly to results in Table 10, theater size is positively correlated with revenues and HHI is negatively correlated with revenues. Columns 4 to 6 show again that there is no difference in revenue decay rates across theaters of different organizational forms.

In summary, the results here indicate that integrated theaters charged lower prices for evening and matinee shows and that this practice translated into more tickets sold but no difference in box office revenues. I also found that theaters increase prices at a slower rate when they are integrated than after becoming independent and at slower rate than theaters that were independent all along.

### 4.1.1 Robustness Checks

In this section I provide two additional empirical exercises that look into how sensitive the results are to the idiosyncrasies of the data. First I take into account the fact that Variety was jointly reporting revenues of theaters that showed the same movies and charged the same prices within a city and week. This joint reporting practice clearly introduces noise and therefore may tilt the initial results towards statistical insignificance.

Table 12 addresses this problem by dropping all observations from cities and weeks that jointly reported revenues. Columns 1 to 6 repeat the analysis in Table 10 using Admissions and $\ln [$ Admissions] as dependent variables. If anything, theaters that were ever integrated appeared to have faster decay rates than independent theaters but this result is not robust to the use of different time trends. Columns 7 to 12 repeat the analysis in Table 11 using Box_Office_Revenues and $\ln [$ Box_Office_Revenues $]$ as dependent variables. There are no significant changes in specifications 7 to 9 , but columns 10 to 12 show that box office revenues decreased faster when theaters were in fact integrated than before changing to independent.

The second robustness check that I implement is to run the same cross-sectional specifications from Tables 8 to 11 taking as observation the movie-theater-week triad as unit of analysis while accounting for whether the movie on screen is distributed by the same studio that owns the theater. I show results of this exercise in Table 13 from columns 1 to 12 for Evening Price, Matinee Price, Admissions per Movie and Box Office per Movie (I divide total admissions and box office by the number of movies screened in a given week and theater) as dependent variables.

Columns 2 and 3 show that integrated theaters charge around 3 cents less than independent theaters. Most importantly, columns 1 to 3 show that movies from the five majors and three minors are screened in theaters with lower prices ( 4 cents lower). Not surprisingly due to uniform pricing practices (see again Figure 2), whether an integrated theater showed a movie distributed by its own studio did not affect prices. All other results and correlations are the same as in the original Table 8. Columns 4 to 6 repeat the exercise with Matinee_Price as dependent variable. I find that, similarly to Table 9, that theaters that were ever integrated charged 3 cents lower prices than independent theaters regardless of the movie screened or whether they are currently integrated. The results in these specifications also show that, just like in columns 1 to 3 , movies from the eight studios implicated in the antitrust case are more likely to screen in theaters that charge lower matinee prices (2 cents lower). Other results are similar to those in Table 9.

Finally, columns 7 to 12 repeat the same exercise with Admissions _per_Movie and Box_Office_per_Movie These specifications show that integrated theaters sell more admission tickets and collect more revenues than independent theaters even after accounting for whether the movie is distributed by a big studio. These theaters did not seem to collect higher revenues when they screened movies of their own studio. All other results are in line with those in Tables 10 and 11.

The results in Table 13 seem to suggest two main channels for the negative relation between vertical relation and prices. First, integrated theaters operate at lower cost and that translates into lower prices which then drives up admission sales regardless of the studio of the movie playing. Second, the fact that movies from integrated studios (all eight of them) sell at lower prices than
movies from other studios seems to suggest that these studios were concerned with high prices and therefore actively looked for outlets where prices were indeed lower.

## 5 Demand Estimation

To estimate the impact of the Paramount antitrust case resolution on attendance, I must first estimate movie demand. Let me assume that a given consumer $i$ obtains utility $U_{i m j c w t}$ if watching movie $m$ in theater $j$ located in city $c$ during week $w$ of year $t$. This utility then can be written down as

$$
U_{i m j c w t}=\alpha_{m}+\delta_{j c}+\beta p_{m j c w t}+\gamma_{w t}+\xi_{m c}+\epsilon_{i m j c w t}
$$

where $\alpha_{m}$ is the utility derived from consuming movie $m, \delta_{j c}$ is the utility derived from consuming any movie in theater $j$ located in city $c, \beta$ is the disutility associated with every dollar paid in price $p_{m j c w t}, \gamma_{w t}$ is a seasonal component of demand, $\xi_{m c}$ is the unobserved market specific demand shock for movie $m$ in city $c$, and $\epsilon_{i m j c w t}$ is the traditional logit error specific to consumer $i$ and movie $m$ in a given theater $j c$ and period $w t$. For simplicity, I can rewrite this expression in terms of the mean utility of movie $m$ in theater $c$ in week $w t$ such that

$$
U_{i m j c w t}=\theta_{m j c w t}+\epsilon_{i m j c w t} .
$$

The outside option here would be not watching any movie and therefore derive utility

$$
U_{i 0 c w t}=\theta_{0 c w t}+\epsilon_{i 0 c w t}
$$

where $\theta_{0 c w t}$ is the mean utility of not watching a movie in city $c$ and week $w t$, and $\epsilon_{i 0 c w t}$ is a random logit error specific to the outside option in city $c$ and week $w t$.

Following standard results after integrating over the logit errors, the share of attendance for movie $m$ in theater $j c$ in week $w t$ will be

$$
s_{m j c w t}=\frac{e^{\theta_{m j c w t}}}{1+\sum_{k=1}^{K_{c w t}} e^{\theta_{k j c w t}}}
$$

and the share of people that chose the outside option would be

$$
s_{0 c w t}=\frac{1}{1+\sum_{k=1}^{K_{c w t}} e^{\theta_{k j c w t}}}
$$

Applying logs as in Berry (1994), we have that

$$
\ln \left(s_{m j c w t}\right)-\ln \left(s_{0 c w t}\right)=\alpha_{m}+\delta_{j c}+\beta p_{m j c w t}+\gamma_{w t}+\xi_{m c} .
$$

Then if I had attendance for all theaters in all the observed cities, I could simply run OLS on this specification implementing movie-city fixed effects or using an instrument for price that was correlated with price and uncorrelated with movie-market specific demand shocks.

Unfortunately, I only observe a subset of theaters within a city for any given week. This prevents me from both observing weekly total movie theater attendance and potentially the size of the outside option. To solve this, I assume that each inhabitant in a given city is going to the movies at most once a week and therefore the maximum attendance in a given week and city is its population. This allows me right away to compute the market share of each one of the observed theaters. To address the fact that I do not observe the complete set of choices available to consumers, I rely on the use of city/week fixed effects (to proxy for $\ln \left(s_{0 c w}\right)$ ) following the spirit of the matching estimator proposed by Fox (2007) and its applications. ${ }^{8}$

In the end, I run OLS regressions such as

$$
\begin{equation*}
\ln \left(s_{m j c w t}\right)=\alpha+\beta p_{m j c w t}+\sigma X_{j c w t}+\xi_{m c}+u_{m j c w t} \tag{3}
\end{equation*}
$$

where $X_{j c w t}$ are variables that vary across theaters and cities and that I eventually substitute for city/year/week fixed effects. This fixed effect is specially important to control for $\ln \left(s_{0 c w t}\right)$ as this varies across cities but does not within a city and specific week. Specifications also introduce movie and theater fixed effects to control for unobservables that may be correlated with prices and therefore bias my estimates of $\beta$.

On that note, the main source of concern is the unobservable $\xi_{m c}$, a demand shock specific to a movie and market match. One would think that theaters would change prices accordingly to these movie/market specific shocks and therefore standard OLS regressions would yield biased estimates. This is not an issue here precisely because of the uniform pricing practice that kept prices constant

[^6]regardless of the movies played in a theater. Despite that, I address this issue by introducing movie/city/year/week fixed effects and also by instrumenting Evening Price with Matinee Price. The fixed effect controls for the specific shock in demand for a movie in a determinate city and therefore takes account of that correlation. The instrument is correlated with Evening Price and more importantly is a good proxy for cost per ticket at the theater level as discounted prices tend to be closer to average cost.

Table 14 displays results of estimating specification (3) above. See in column 1 that without introducing any fixed effect the price coefficient is around -1.3 . Columns 2 to 7 include theater, city, year/week and movie fixed effects yielding very similar coefficients that range between -0.45 and -0.53 . Finally, columns 8 and 9 introduce movie/city/year/week fixed effects to control for movie/city demand differences and find estimates that are much higher of -0.58 and -0.79 . Statistical significance is at $10 \%$ at best in these last two specifications which is explained by the fact that Variety barely ever reported on the performance of a movie in more than one theater within one city (no variation) or, when it did in the last few years, it reported jointly (measurement error).

The last three columns in Table 14 (columns 10 to 12) report estimates of instrumenting Evening Price with Matinee Price. Column 10, as in column 1, includes no fixed effects and provides a large price coefficient estimate of -1.45 while columns 11 and 12 introduce city, theater and year/week fixed effects and provide much similar estimates with previous columns of -0.59 and -0.37 . Other results in this table suggest that larger theaters had larger market shares and that theaters located in early TV adopting markets and less concentrated markets had higher market shares.

In summary, the price coefficient estimates range between -0.37 and -0.79 which are very similar estimates to those in Davis (2006). The difference here with that study is that implied elasticities in this sample are around -0.32 and -0.75 due to the fact that the average Evening Price in the data is $\$ 1$ while prices in Davis (2006) are substantially higher. If anything, the implied elasticities range between -0.03 and -3 across all weekly theater observations and they grew over time on average, larger theaters being more elastic than smaller theaters. With these numbers in mind and taking into account (Table 8) that in a period of 5 years after vertical separation theaters ever integrated increased prices $10 \%$ faster than otherwise, this means that theater attendance in theaters previously owned by studios decreased by between $3.2 \%$ and $7.5 \%$ faster than otherwise due to the increase in prices caused by the aftermath of the paramount decree.

Given this back-of-the-envelope calculation and taking into account that on average theaters that were ever integrated collected close to $\$ 16,600$ a week, the impact on welfare of the vertical separation for a theater owned by a studio before 1948 and five years down the road is approximately between $\$ 500$ and $\$ 1,200$ per week and therefore between $\$ 26,000$ and $\$ 60,000$ a year. This is
indicative of a lower bound of the impact of the antitrust case sentence on consumer surplus and welfare in an individual theater basis. Given that De Vany (2004) and coauthors find no effect on studio profits (no effect in stock market prices), it must be then that all effect was concentrated in a decrease in consumer surplus of at least $\$ 26,000$ a year per theater affected.

## 6 Concluding Remarks

This paper empirically estimates the impact of the 1948 Supreme Court decree in the US vs. Paramount antitrust case on movie ticket prices, admissions and box office revenues. After several years of litigation and appeals, the Supreme Court mandated the eight largest studios in the US to stop bundling practices and to sell the bulk of their theatrical divisions. As a result, an econometric study of the impact of such judiciary resolution represents a unique opportunity to study the effect of vertical integration on performance measures such as prices, sales and revenues.

Aside from the intellectual value of the research question, this study is also valuable in that the Paramount case is one of the largest and most important cases in US antitrust history and therefore understanding the ultimate consequences of its resolution is key for future antitrust policy design. In particular, this case is among the few (together with the Standard Oil case of 1911 and the AT\&T case of 1982) where antitrust authorities requested to break up firms under scrutiny. This type of sentence is not free of huge transaction and reorganization costs on the firm's side and it is therefore important to know their consequences on outcomes to evaluate the benefits and costs of such policies. This paper attempts to do so by exploring the impact of mandated vertical separation at the theater level in the 1948 Paramount antitrust case.

My empirical findings show that integrated theaters charged 4 cents less for evening shows on average than independent theaters and that these charged the same prices after becoming independent. I also find that theaters that were ever integrated charged 4 cents lower for matinee shows regardless of whether they were in fact integrated at the time. More importantly, integrated theaters increased their prices (both evening and matinee prices) over time at slower rates than independent theaters and increased prices much faster after becoming independent. Other results suggest that even though integrated theaters sold more admission tickets and collected more revenues than independent theaters, there was no difference in the rate at which sales and revenues decreased across theaters of different organizational forms. These findings are robust to different specifications and checks implemented in the paper.

Finally, I estimate demand using the fact that, even though theaters charged uniform prices across movies, different theaters charged different prices within a city. The estimates of price
sensitivity parameters are consistent with those in the literature although implied elasticities are lower than in previous studies. These estimates show that five years down the road the lower bound of the loss in welfare due to vertical separation and the faster increase in prices is quite sizable, between $3.2 \%$ and $7.5 \%$ of movie attendance. These estimates speak again about the importance of antitrust policy and the need for careful decision making when assessing cases of abuse of market power as in some occasions sentences might make matters worse.

In future research I will investigate the impact of the Paramount case sentence on other dimensions that are important to determine its final impact on economic outcomes. On one hand, the vertical disintegration that took place in the US movie industry had an effect on the type of movies that were showing in theaters and the length of their runs in theaters. On the other hand, the loss of their theatrical divisions shaped the profitability of movie production and changed the types of movies that were produced. Therefore, future work should examine the relation between vertical integration and product development and product placement using as framework the Paramount antitrust case. These are important sources of consumer surplus and society welfare and therefore it is important to know how vertical integration shapes those channels of firm decision making. Doing so will contribute to the vertical integration literature and our understanding of how and why the organization of a firm matters.

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Figure 1A


Figure 1B


Theater name (Theater's Owner)
(Seat Capacity; Price Range)

"Movie" (Distributor), \$ Box Office Revenue

Figure 2


Figure 3


Figure 4

## Evening and Matinee Prices by Theater Integration



Box Office and Admissions by Theater Integration


Figure 5
\% US Homes with TV 1940-1959



Table 1. City and Year Structure of Data Set

| City | $\mathbf{1 9 4 5}$ | $\mathbf{1 9 4 6}$ | $\mathbf{1 9 4 7}$ | $\mathbf{1 9 4 8}$ | $\mathbf{1 9 4 9}$ | $\mathbf{1 9 5 0}$ | $\mathbf{1 9 5 1}$ | $\mathbf{1 9 5 2}$ | $\mathbf{1 9 5 3}$ | $\mathbf{1 9 5 4}$ | $\mathbf{1 9 5 5}$ | Theaters Total |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Baltimore, MD | 8 | 9 | 8 | 8 | 8 | 7 | 8 | 9 | 9 | 10 | 10 | 12 |  |
| Birmingham, AL | 0 | 0 | 0 | 0 | 0 | 0 | 5 | 0 | 0 | 0 | 0 | 5 |  |
| Boston, MA | 12 | 15 | 17 | 15 | 13 | 12 | 12 | 12 | 14 | 13 | 13 | 22 |  |
| Buffalo, NY | 5 | 6 | 6 | 6 | 6 | 5 | 5 | 5 | 7 | 6 | 6 | 7 |  |
| Chicago, IL | 11 | 11 | 13 | 14 | 15 | 14 | 12 | 12 | 16 | 16 | 16 | 21 |  |
| Cincinnati, OH | 9 | 8 | 8 | 7 | 8 | 7 | 8 | 6 | 6 | 6 | 5 | 13 |  |
| Cleveland, OH | 7 | 7 | 9 | 8 | 7 | 8 | 10 | 8 | 8 | 8 | 7 | 11 |  |
| Columbus, OH | 4 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4 |  |
| Denver, CO | 9 | 9 | 11 | 10 | 14 | 11 | 11 | 12 | 12 | 11 | 14 | 23 |  |
| Detroit, MI | 8 | 8 | 9 | 9 | 7 | 7 | 8 | 6 | 9 | 9 | 9 | 12 |  |
| Indianapolis, IN | 5 | 5 | 5 | 5 | 5 | 5 | 5 | 5 | 5 | 5 | 5 | 5 |  |
| Kansas City, MO | 7 | 7 | 11 | 9 | 11 | 10 | 12 | 14 | 13 | 13 | 12 | 18 |  |
| Lincoln, NE | 0 | 5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5 |  |
| Los Angeles, CA | 27 | 31 | 38 | 36 | 39 | 33 | 33 | 28 | 33 | 34 | 32 | 55 |  |
| Louisville, KY | 7 | 7 | 8 | 8 | 8 | 4 | 5 | 5 | 4 | 4 | 4 | 8 |  |
| Minneapolis, MN | 9 | 10 | 12 | 12 | 11 | 10 | 9 | 10 | 9 | 8 | 8 | 12 |  |
| New York, NY | 18 | 21 | 26 | 25 | 21 | 21 | 24 | 26 | 27 | 28 | 24 | 42 |  |
| Omaha, NE | 5 | 5 | 5 | 5 | 6 | 5 | 5 | 5 | 4 | 4 | 7 | 4 | 8 |
| Philadelphia, PA | 11 | 11 | 13 | 13 | 14 | 13 | 12 | 13 | 13 | 12 | 13 | 17 |  |
| Pittsburgh, PA | 8 | 7 | 8 | 7 | 7 | 8 | 6 | 6 | 6 | 6 | 7 | 12 |  |
| Portland, OR | 8 | 8 | 9 | 9 | 9 | 6 | 7 | 9 | 9 | 8 | 6 | 12 |  |
| Providence, RI | 8 | 7 | 7 | 7 | 7 | 7 | 6 | 5 | 5 | 5 | 4 | 11 |  |
| Saint Louis, MO | 6 | 6 | 10 | 8 | 9 | 6 | 8 | 9 | 8 | 9 | 10 | 8 |  |
| San Francisco, CA | 8 | 10 | 15 | 16 | 13 | 14 | 11 | 11 | 13 | 14 | 13 | 13 | 19 |
| Seattle, WA | 11 | 10 | 11 | 11 | 10 | 9 | 9 | 10 | 9 | 9 | 8 | 12 |  |
| Washington, DC | 6 | 8 | 10 | 11 | 11 | 11 | 9 | 10 | 10 | 10 | 11 | 18 |  |
| Theaters/Year | 217 | 231 | 269 | 259 | 259 | 233 | 240 | 236 | 249 | 248 | 244 | 393 |  |
| Cities/Year | 24 | 24 | 23 | 23 | 23 | 23 | 24 | 23 | 23 | 23 | 23 | 26 |  |

Note: This table indicates the number of theaters per city and year for which the data set used in this paper has information.

Table 2. Boston Panel Data Set with Vertical integration in Yellow

| Theaters | $\mathbf{1 9 4 5}$ | $\mathbf{1 9 4 6}$ | $\mathbf{1 9 4 7}$ | $\mathbf{1 9 4 8}$ | $\mathbf{1 9 4 9}$ | $\mathbf{1 9 5 0}$ | $\mathbf{1 9 5 1}$ | $\mathbf{1 9 5 2}$ | $\mathbf{1 9 5 3}$ | $\mathbf{1 9 5 4}$ | $\mathbf{1 9 5 5}$ | Total \# Weeks |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |  |  |
| Astor | - | - | 5 | 52 | 38 | 49 | 52 | 51 | 51 | 51 | 50 | 349 |
| Beacon Hill | - | - | - | 3 | - | 16 | 18 | 41 | 17 | 44 | 49 | 188 |
| Boston | 51 | 50 | 50 | 52 | 51 | 46 | 52 | 52 | 45 | 51 | 26 | 526 |
| Cinerama | - | - | - | - | - | - | - | - | - | - | 21 | 21 |
| Center | - | - | 4 | - | - | - | - | - | - | - | - | 4 |
| Esquire | - | 34 | 33 | 6 | 12 | 1 | - | - | 4 | - | - | 90 |
| Exeter | - | 1 | 27 | 50 | 15 | - | 16 | 49 | 51 | 51 | 47 | 307 |
| Fenway | 51 | 50 | 50 | 51 | 50 | 52 | 52 | 53 | 51 | 45 | 49 | 554 |
| Kenmore | - | - | 18 | 16 | - | - | - | - | - | - | 28 | 62 |
| Majestic | 43 | 37 | 25 | 5 | 11 | - | 19 | 1 | 6 | 8 | - | 155 |
| Mayflower | - | - | - | - | 26 | 8 | - | - | 3 | - | 12 | 49 |
| Memorial | 51 | 48 | 48 | 52 | 50 | 52 | 52 | 53 | 51 | 51 | 49 | 11 |
| Modern | - | - | 11 | - | - | - | - | - | - | - | - | 557 |
| Metropolitan | 50 | 50 | 49 | 51 | 51 | 51 | 52 | 53 | 51 | 51 | 50 | 559 |
| Normandi | 1 | - | - | - | - | - | - | - | - | - | - | 1 |
| Old South | 8 | 12 | 11 | 3 | - | - | - | - | - | - | - | 34 |
| Olympia | - | 1 | - | - | - | - | - | - | - | - | - | 1 |
| Pilgrim | - | - | - | - | 19 | 12 | - | 6 | 12 | 36 | 18 | 103 |
| Orpheum | 51 | 49 | 50 | 52 | 51 | 49 | 52 | 52 | 51 | 51 | 47 | 555 |
| Paramount | 50 | 49 | 50 | 52 | 51 | 52 | 52 | 53 | 51 | 50 | 45 | 555 |
| Scoltay | - | 1 | - | - | - | - | - | - | - | - | - | 1 |
| State | 50 | 50 | 50 | 52 | 51 | 50 | 52 | 52 | 50 | 51 | 49 | 557 |
| Tremont | 18 | 41 | 5 | - | - | - | - | - | - | - | - | 64 |
| Translux | 50 | 49 | 46 | 6 | - | - | 1 | - | - | 2 | - | 154 |

Note: Every cell contains the number of weeks for which information on givent theater was reported.
Yellow color indicates vertically integrated theater, white color otherwise.
Green color indicates different names to a same theater (according to Cinematreasures.com).

Table 3. San Francisco Panel Data Set with Vertical Integration in Yellow

| Theaters | $\mathbf{1 9 4 5}$ | $\mathbf{1 9 4 6}$ | $\mathbf{1 9 4 7}$ | $\mathbf{1 9 4 8}$ | $\mathbf{1 9 4 9}$ | $\mathbf{1 9 5 0}$ | $\mathbf{1 9 5 1}$ | $\mathbf{1 9 5 2}$ | $\mathbf{1 9 5 3}$ | $\mathbf{1 9 5 4}$ | $\mathbf{1 9 5 5}$ | Total \# Weeks |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | - | - | - | - | - | - | - | - | 9 | 32 | 39 | 80 |
| Bridge | - | - | 12 | 3 | - | - | - | - | - | - | - | 15 |  |
| Center | - | - | - | - | - | - | - | - | 1 | - | - | 1 |  |
| Cinema | - | - | 31 | 30 | 33 | 43 | 34 | 46 | 44 | 35 | 40 | 336 |  |
| Clay | - | 2 | 17 | 43 | 32 | 6 | - | - | 4 | 4 | - | 108 |  |
| Esquire | 45 | 45 | 50 | 49 | 47 | 50 | 48 | 53 | 48 | 49 | 50 | 534 |  |
| Fox | - | - | - | 2 | - | 5 | - | - | - | - | - | 7 |  |
| Geary | 46 | 45 | 48 | 49 | 47 | 50 | 48 | 53 | 48 | 49 | 49 | 532 |  |
| Golden Gate | - | - | 17 | 1 | - | - | - | - | - | - | - | 18 |  |
| Guild | - | - | 26 | 34 | 14 | 42 | 30 | 31 | 33 | 40 | 45 | 295 |  |
| Larkin | 38 | 44 | 49 | 49 | 47 | 50 | 48 | 53 | 40 | 49 | 50 | 517 |  |
| Orpheum | 46 | 44 | 50 | 49 | 47 | 50 | 48 | 53 | 48 | 49 | 50 | 534 |  |
| Paramount | - | - | - | - | - | - | - | - | - | - | 22 | 22 |  |
| Rio | 46 | 40 | 38 | 49 | 47 | 50 | 48 | 53 | 48 | 48 | 50 | 517 |  |
| St. Francis | - | 5 | 47 | 36 | 41 | 42 | 46 | 50 | 47 | 47 | 48 | 409 |  |
| Stagedoor | 45 | 44 | 23 | 45 | 10 | 2 | - | - | - | 5 | - | 174 |  |
| State | 38 | 43 | 50 | 49 | 47 | 50 | 48 | 53 | 48 | 49 | 50 | 525 |  |
| United Artists | - | - | 39 | 46 | 10 | 4 | - | - | - | - | - | 99 | 99 |
| United Nations | - | - | - | - | - | - | 32 | 29 | 39 | 42 | 44 | 186 |  |
| Vogue | 45 | 45 | 50 | 49 | 46 | 50 | 48 | 52 | 48 | 48 | 49 | 530 |  |
| Warfield |  |  |  |  |  |  |  |  |  |  |  |  |  |

Note: Every cell contains the number of weeks for which information on givent theater was reported.
Yellow color indicates vertically integrated theater, white color otherwise.

Table 4. New York City Panel Data Structure with Vertical Integration in Yellow

| Theaters | 1945 | 1946 | 1947 | 1948 | 1949 | 1950 | 1951 | 1952 | 1953 | 1954 | 1955 | Total \# Weeks |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ambassador | 13 | 1 | 5 | 25 | 1 | 7 | - | - | - | - | - | 52 |
| Astor | 51 | 51 | 52 | 52 | 50 | 48 | 52 | 53 | 48 | 51 | 51 | 559 |
| Baronet | - | - | - | - | - | - | - | 13 | 49 | 49 | 42 | 153 |
| Beekman | - | - | - | - | - | - | - | 14 | 3 | - | - | 17 |
| Bijou | - | - | 10 | 31 | 51 | 51 | 49 | 11 | 17 | 10 | - | 230 |
| Broadway | - | - | 27 | - | - | - | - | 12 | 21 | 6 | - | 66 |
| Capitol | 52 | 51 | 52 | 52 | 51 | 52 | 52 | 52 | 51 | 51 | 51 | 567 |
| Criterion | 52 | 50 | 52 | 52 | 51 | 52 | 52 | 53 | 51 | 50 | 51 | 566 |
| Elysee | - | - | - | 8 | - | - | - | - | - | - | - | 8 |
| Embassy | - | - | - | - | - | 2 | - | - | - | 1 | - | 3 |
| Fine Arts | - | - | - | - | - | - | 10 | 53 | 51 | 51 | 51 | 216 |
| Fulton | - | - | 6 | 2 | 2 | - | - | - | - | - | - | 10 |
| Globe | 49 | 50 | 51 | 52 | 51 | 52 | 52 | 49 | 50 | 51 | 49 | 556 |
| Golden | - | 15 | 19 | 15 | - | - | 7 | - | - | - | - | 56 |
| Gotham | 52 | 51 | 52 | 14 | 20 | - | - | - | - | - | - | 189 |
| Guild | - | - | - | - | - | - | - | 14 | 37 | 49 | 51 | 151 |
| Holiday | - | - | - | - | - | - | 18 | 14 | 48 | 32 | - | 112 |
| Hollywood | 52 | 51 | 32 | - | - | - | - | - | - | - | - | 135 |
| Little Carnegie | - | - | 16 | 18 | - | - | - | - | - | 23 | 40 | 97 |
| Mayfair | - | 1 | 17 | 52 | 51 | 52 | 52 | 52 | 51 | 50 | 51 | 429 |
| New York | - | - | - | - | - | - | - | - | 4 | 5 | - | 9 |
| Normandie | - | - | - | - | - | - | - | 47 | 39 | 48 | 49 | 183 |
| Palace | 52 | 51 | 52 | 51 | 49 | 52 | 40 | 34 | 43 | 48 | 49 | 521 |
| Paramount | 52 | 51 | 52 | 52 | 51 | 52 | 52 | 53 | 51 | 51 | 51 | 568 |
| Paris | - | - | - | - | - | - | 14 | 52 | 51 | 51 | 51 | 219 |
| Park Avenue | - | - | 48 | 32 | 50 | 37 | 39 | 44 | - | - | - | 250 |
| Plaza | - | - | - | - | - | - | - | - | - | - | 17 | 17 |
| Radio City Music Hall | 52 | 51 | 51 | 52 | 51 | 52 | 52 | 52 | 50 | 51 | 51 | 565 |
| Republic | 16 | 15 | - | - | - | - | - | - | - | - | - | 31 |
| Rialto | 52 | 51 | 52 | 52 | 51 | 48 | 8 | 15 | 11 | - | - | 340 |
| Rivoli | 52 | 51 | 51 | 52 | 51 | 52 | 42 | 41 | 50 | 31 | 19 | 492 |
| Roxy | 52 | 51 | 52 | 52 | 51 | 51 | 52 | 50 | 48 | 51 | 50 | 560 |
| State | 52 | 51 | 52 | 52 | 51 | 51 | 52 | 53 | 51 | 51 | 50 | 566 |
| Strand | 52 | 51 | 52 | 52 | 49 | 52 | 22 | - | - | - | - | 330 |
| Sutton | - | - | 16 | 17 | 36 | 52 | 52 | 53 | 48 | 47 | 51 | 372 |
| Trans-Lux 52nd Street | - | - | - | - | - | 6 | 52 | 53 | 51 | 51 | 51 | 264 |
| Trans-Lux 60th Street | - | - | - | - | 1 | 44 | 45 | 53 | 51 | 48 | 2 | 244 |
| Uptown | - | 1 | - | - | - | - | - | - | - | - | - | 1 |
| Victoria | 52 | 51 | 52 | 35 | 50 | 52 | 52 | 52 | 51 | 51 | 51 | 549 |
| Warner | - | - | 19 | 20 | - | - | 25 | 20 | 29 | 51 | 51 | 215 |
| Winter Garden | 11 | 51 | 52 | 38 | - | - | - | - | - | - | - | 152 |
| World | - | - | - | - | - | - | - | - | - | - | 6 | 6 |

Note: Every cell contains the number of weeks for which information on givent theater was reported.
Yellow color indicates vertically integrated theater, white color otherwise.

Table 5. Year of TV Introduction Across Cities in Sample

| Year of TV Introduction | Cities | Cum Cities | Cum Pop (as of 1950) |
| :---: | :--- | :---: | :---: |
| 1945 | - | 0 | 0 |
| 1946 | New York City, Chicago, Philadelphia, Los Angeles, <br> Washington DC | 5 | 16357060 |
| 1947 | Detroit, Saint Louis | 7 | 19063424 |
| 1948 | Baltimore, Cleveland, Boston, Buffalo, Minneapolis, Cincinnati | 13 | 23335232 |
| 1949 | San Francisco, Pittsburgh, Seattle, Indianapolis, Louisville, <br> Omaha, Providence, Columbus, Birmingham <br> 1950 | Kansas City | 22 |
| 1951 | - | 23 | 27579054 |
| 1952 | Denver | 23 | 28035676 |
| 1953 | Portland, Lincoln | 26 | 28451462 |
| 1954 | - | 26 | 28923974 |
| 1955 | - | 26 | 28923974 |

Table 6. General Summary Statistics and by Organizational Form

| Variable | Obs | Mean | Std. Dev. | Min | Max | Theater Ever Integ? |  | Difference$(==0)-(==1)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  | $=1$ | $=0$ |  |
| Evening Price | 106702 | 1.00 | 0.40 | 0.25 | 3.6 | 0.999 | 0.991 | -0.007 |
|  |  |  |  |  |  | 0.002 | 0.002 | 0.003 |
| Matinee Price | 106702 | 0.59 | 0.23 | 0.09 | 2.4 | 0.579 | 0.613 | 0.034 |
|  |  |  |  |  |  | 0.001 | 0.001 | 0.001 |
| Theater Integ? | 106702 | 0.34 | 0.48 | 0 | 1 | 0.568 | 0 | -0.568 |
|  |  |  |  |  |  | 0.002 | 0 | 0.002 |
| Theater Ever Integ? | 106702 | 0.61 | 0.49 | 0 | 1 | - | - | - |
|  |  |  |  |  |  | - | - | - |
| Box Office Revenues | 106665 | 14232.33 | 15616.90 | 300 | 850000 | 16622.10 | 10559.57 | -6062.53 |
|  |  |  |  |  |  | 69.37 | 53.09 | 96.07 |
| Tickets Sold | 106665 | 14349.25 | 11981.30 | 300 | 894737 | 16304.99 | 11343.54 | -4961.45 |
|  |  |  |  |  |  | 47.69 | 54.18 | 73.52 |
| Years Since TV Intro | 106702 | 2.90 | 2.86 | 0 | 9 | 2.87 | 2.95 | 0.08 |
|  |  |  |  |  |  | 0.01 | 0.01 | 0.02 |
| HHI <br> (by theater number) | 106702 | 989.70 | 1114.55 | 89.4438 | 10000 | 837.51 | 1223.55 | 386.03 |
|  |  |  |  |  |  | 3.05 | 7.13 | 6.88 |
| No. Screens | 393 | 1.03 | 0.23 | 1 | 3 | 1.03 | 1.04 | 0.01 |
|  |  |  |  |  |  | 0.02 | 0.02 | 0.02 |
| Capacity per Screen | 393 | 1575.08 | 1053.15 | 115 | 5945 | 2049.98 | 1209.28 | -840.70 |
|  |  |  |  |  |  | 83.47 | 57.81 | 98.51 |

Note: This table presents summary statistics of all variables used in this paper. See that variables that do not vary across time (number of screens and capacity per screen) have summary statistics at the theater level.
The second part of the table provides summary statistics by whether the theater was EVER vertically integrated and the last column.
calculates differences across the two groups of theaters.
Numbers in smaller font size are standard errors for the averages at the group level and differences.

Table 7. Summary Statistics at the Theater/Movie Level

| Variable | Obs | Mean | Std. Dev. | Min | Max | Theater Ever Integ? $==0 \quad==1$ | $\begin{aligned} & \text { Difference } \\ & (==0)-(==1) \end{aligned}$ | Theater Integ?/Ever $=0$ | $\begin{aligned} & \text { r Integ? }==1 \\ & ==1 \end{aligned}$ | $\begin{aligned} & \text { Difference } \\ & (==\mathbf{0})-(==1) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Theater Ever Integ? | 143200 | 0.616 | 0.486 | 0 | 1 |  |  |  |  |  |
| Theater Integ? | 143200 | 0.347 | 0.476 | 0 | 1 |  |  |  |  |  |
| Movie Big Five Playing in Theater Ever Integ? | 143200 | 0.187 | 0.390 | 0 | 1 |  |  |  |  |  |
| Movie and Theater Owned By Same Studio? | 143200 | 0.155 | 0.362 | 0 | 1 |  |  |  |  |  |
| Movie Big Five? | 143200 | 0.525 | 0.499 | 0 | 1 | $0.459 \quad 0.566$ | $-0.108^{* * *}$ | 0.528 0. | 0.596 | -0.069*** |
|  |  |  |  |  |  | 0.0020 .002 | 0.003 | 0.003 0.00 | 0.002 | 0.003 |
| Movie Little Three? | 143200 | 0.306 | 0.461 | 0 | 1 | $0.341 \quad 0.284$ | 0.056*** | 0.296 0. | 0.275 | 0.021*** |
|  |  |  |  |  |  | 0.0020 .002 | 0.002 | 0.0020 | 0.002 | 0.003 |

Note: This table provides summary statistics of vertical integration related variables at the theater/movie level. The second part of the table shows differences in propensity to show movies from big five studios (MGM, WB, Paramount, RKO and Fox) and little three studios (Universal, Columbia and United Artists) conditional on being a theater that was ever integrated, and conditional on being integrated if the theater had ever been integrated.

Table 8. Vertical Integration and Evening Prices

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dep Var | Evening Price |  |  | In [Evening Price] |  |  |
| Theater Ever Integ? | -0.010 | 0.009 | 0.009 |  |  |  |
|  | (0.038) | (0.032) | (0.031) |  |  |  |
| Theater Integ? | 0.000 | -0.042** | -0.038** | 0.006 | 0.133*** | 0.140*** |
|  | (0.029) | (0.018) | (0.018) | (0.015) | (0.039) | (0.041) |
| No Screens | -0.027 | -0.024 | -0.021 |  |  |  |
|  | (0.032) | (0.028) | (0.028) |  |  |  |
| Capacity per Screen | 0.00001 | 0.00001 | 0.00001 |  |  |  |
|  | (0.00001) | (0.00001) | (0.00001) |  |  |  |
| Years TV Intro | 0.072*** | 0.052*** | 0.031*** | 0.006 | 0.014*** | 0.015*** |
|  | (0.005) | (0.004) | (0.007) | (0.004) | (0.004) | (0.004) |
| HHI | $-0.00005^{* * *}$ | -0.00001 | -0.00001 | -0.000002 | -0.000001 | -0.000001 |
|  | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.00001) |
| Theater Ever Integ?*YearWeek |  |  |  | $0.0007^{* * *}$ |  |  |
|  |  |  |  | (0.0001) |  |  |
| Theater Integ?*YearWeek |  |  |  | -0.0004** |  |  |
|  |  |  |  | (0.0001) |  |  |
| YearWeek |  |  |  | 0.0004*** |  |  |
|  |  |  |  | (0.0001) |  |  |
| Theater Ever Integ?*YearMonth |  |  |  |  | 0.0015*** |  |
|  |  |  |  |  | (0.0001) |  |
| Theater Integ?*YearMonth |  |  |  |  | $-0.0018 * * *$ |  |
|  |  |  |  |  | (0.0001) |  |
| YearMonth |  |  |  |  | 0.0021*** |  |
|  |  |  |  |  | (0.0001) |  |
| Theater Ever Integ?*Year |  |  |  |  |  | 0.0169*** |
|  |  |  |  |  |  | (0.006) |
| Theater Integ?*Year |  |  |  |  |  | -0.0211*** |
|  |  |  |  |  |  | (0.005) |
| Year |  |  |  |  |  | 0.0243*** |
|  |  |  |  |  |  | (0.004) |
| Constant | 0.849*** | 0.864*** | 0.827*** | -0.251*** | -0.317*** | -0.330*** |
|  | (0.076) | (0.051) | (0.053) | (0.012) | (0.024) | (0.025) |
| City FE | No | Yes | Yes | No | No | No |
| Year FE | No | No | Yes | Yes | No | No |
| Theater FE | No | No | No | Yes | Yes | Yes |
| Observations | 106,702 | 106,702 | 106,702 | 106,702 | 106,702 | 106,702 |
| R-squared | 0.26 | 0.51 | 0.53 | 0.77 | 0.77 | 0.77 |

Note: This table regress Evening Price and its natural logarithm on vertical integration variables.
Robust standard errors in parentheses, clustered at the theater level. *** $\mathrm{p}<0.01$, ${ }^{* *} \mathrm{p}<0.05$, * $\mathrm{p}<0.1$

Table 9. Vertical Integration and Matinee Prices

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dep Var | Matinee Price |  |  | In [Matinee Price] |  |  |
| Theater Ever Integ? | $\begin{gathered} -0.016 \\ (0.020) \end{gathered}$ | $\underset{(0.015)}{-0.041^{* * *}}$ | $\underset{(0.015)}{-0.043 * * *}$ |  |  |  |
| Theater Integ? | $\begin{gathered} 0.001 \\ (0.013) \end{gathered}$ | $\begin{gathered} -0.002 \\ (0.010) \end{gathered}$ | $\begin{gathered} 0.007 \\ (0.009) \end{gathered}$ | $\underset{(0.017)}{0.031 *}$ | $\underset{(0.035)}{0.181^{* * *}}$ | $\underset{(0.037)}{0.192 * * *}$ |
| No Screens | $\underset{(0.021)}{-0.051^{* *}}$ | $\begin{gathered} -0.027 \\ (0.017) \end{gathered}$ | $\begin{gathered} -0.025 \\ (0.016) \end{gathered}$ |  |  |  |
| Capacity per Screen | $\underset{(0.00001)}{-0.00002 * *}$ | $\underset{(0.00001)}{-0.00001^{* * *}}$ | $\underset{(0.00001)}{-0.00001^{* * *}}$ |  |  |  |
| Years TV Intro | $\underset{(0.002)}{0.041^{* * *}}$ | $\underset{(0.002)}{0.036 * * *}$ | $\underset{(0.004)}{0.0002}$ | $\underset{(0.005)}{-0.020 * * *}$ | $\begin{gathered} 0.003 \\ (0.005) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.005) \end{gathered}$ |
| HHI | $\underset{(0.00001)}{0.00001}$ | $\underset{(0.00001)}{0.00001 *}$ | $\underset{(0.00004)}{0.000006 *}$ | $\underset{(0.000001)}{0.00001^{* *}}$ | $\underset{(0.00001)}{0.00001}$ | $\underset{(0.00001)}{0.00001}$ |
| Theater Ever Integ?*YearWeek |  |  |  | $\underset{(0.0001)}{0.0006 * * *}$ |  |  |
| Theater Integ?*YearWeek |  |  |  | $\underset{(0.0001)}{-0.0006 * * *}$ |  |  |
| YearWeek |  |  |  | $\underset{(0.0001)}{0.0007 * * *}$ |  |  |
| Theater Ever Integ?*YearMonth |  |  |  |  | $\begin{gathered} 0.001^{* *} \\ (0.001) \end{gathered}$ |  |
| Theater Integ?*YearMonth |  |  |  |  | $\underset{(0.001)}{-0.003^{* * *}}$ |  |
| YearMonth |  |  |  |  | $\underset{(0.001)}{0.004^{* * *}}$ |  |
| Theater Ever Integ?*Year |  |  |  |  |  | $\underset{(0.007)}{0.014^{* *}}$ |
| Theater Integ?*Year |  |  |  |  |  | $\underset{(0.005)}{-0.029 * * *}$ |
| Year |  |  |  |  |  | $\underset{(0.005)}{0.047 * * *}$ |
| Constant | $\underset{(0.037)}{0.567 * * *}$ | $\underset{(0.027)}{0.561 * * *}$ | $\underset{(0.025)}{0.528 * * *}$ | $\underset{(0.016)}{-0.847 * * *}$ | $\underset{(0.023)}{-0.941 * * *}$ | $\underset{(0.025)}{-0.964^{* * *}}$ |
| City FE | No | Yes | Yes | No | No | No |
| Year FE | No | No | Yes | Yes | No | No |
| Theater FE | No | No | No | Yes | Yes | Yes |
| Observations | 106,702 | 106,702 | 106,702 | 106,702 | 106,702 | 106,702 |
| R-squared | 0.28 | 0.51 | 0.54 | 0.78 | 0.76 | 0.76 |

Note: This table regress Matinee Price and its natural logarithm on vertical integration variables.
Robust standard errors in parentheses, clustered at the theater level. ${ }^{* * *} \mathrm{p}<0.01,{ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$

Table 10. Vertical Integration and Admission Sales

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dep Var |  | Admissions |  | ln [Admissions] |  |  |
| Theater Ever Integ? | $\underset{(884.360)}{-1331.346}$ | $\begin{gathered} -93.306 \\ (718.706) \end{gathered}$ | $\begin{aligned} & -64.625 \\ & (717.988) \end{aligned}$ |  |  |  |
| Theater Integ? | $\underset{(581.331)}{3,335.196 * * *}$ | $\underset{(572.684)}{1,646.907^{* * *}}$ | $\underset{(566.936)}{1,444.649 * *}$ | $\underset{(0.026)}{0.089 * * *}$ | $\begin{gathered} 0.022 \\ (0.055) \end{gathered}$ | $\underset{(0.059)}{0.025}$ |
| No Screens | $\underset{(1431.242)}{3,859.92 * * *}$ | $\underset{(1203.189)}{\substack{464.535 * * * \\ \hline}}$ | $\underset{(1201.927)}{4,770.204 * * *}$ |  |  |  |
| Capacity per Screen | $\underset{(0.656)}{5.693 * *}$ | $\underset{(0.538)}{5.926 * *}$ | $\underset{(0.536)}{5.936 * * *}$ |  |  |  |
| Years TV Intro | $\underset{(79.394)}{-225.605 * * *}$ | $\underset{(100.962)}{-808.541^{* * *}}$ | $\begin{gathered} -341.069 \\ (280.640) \end{gathered}$ | $\begin{aligned} & 0.023 \\ & (0.015) \end{aligned}$ | $\underset{(0.011)}{0.019 *}$ | $\begin{aligned} & 0.014 \\ & (0.011) \end{aligned}$ |
| HHI | $\underset{(0.188)}{-1.027 * * *}$ | $\underset{(0.081)}{-0.156 *}$ | $\begin{gathered} -0.048 \\ (0.096) \end{gathered}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ | $\underset{(0.00001)}{-0.00001 *}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ |
| Theater Ever Integ?*YearWeek |  |  |  | $\begin{gathered} -0.00039 \\ (0.001) \end{gathered}$ |  |  |
| Theater Integ?*YearWeek |  |  |  | $\begin{gathered} 0.00004 \\ (0.0001) \end{gathered}$ |  |  |
| YearWeek |  |  |  | $\underset{(0.0001)}{-0.0019 * * *}$ |  |  |
| Theater Ever Integ?*YearMonth |  |  |  |  | $\begin{gathered} -0.001 \\ (0.001) \end{gathered}$ |  |
| Theater Integ?*YearMonth |  |  |  |  | $\begin{aligned} & 0.001 \\ & (0.001) \end{aligned}$ |  |
| YearMonth |  |  |  |  | $\underset{(0.001)}{-0.005 * * *}$ |  |
| Theater Ever Integ?*Year |  |  |  |  |  | $\begin{gathered} -0.007 \\ (0.008) \end{gathered}$ |
| Theater Integ?*Year |  |  |  |  |  | $\begin{gathered} 0.011 \\ (0.009) \end{gathered}$ |
| Year |  |  |  |  |  | $\underset{(0.009)}{-0.0584^{* * *}}$ |
| Constant | $\begin{gathered} 144.803 \\ (1954.049) \end{gathered}$ | $\begin{gathered} -598.942 \\ (1711.332) \end{gathered}$ | $\begin{aligned} & 154.835 \\ & (1672.066) \end{aligned}$ | $\underset{(0.028)}{9.539^{* * *}}$ | $\begin{gathered} 9.609 * * * \\ (0.034) \end{gathered}$ | $\underset{(0.038)}{9.625^{* * *}}$ |
| City FE | No | Yes | Yes | No | No | No |
| Year FE | No | No | Yes | Yes | No | No |
| Theater FE | No | No | No | Yes | Yes | Yes |
| Observations | 106,665 | 106,665 | 106,665 | 106,665 | 106,665 | 106,665 |
| R-squared | 0.32 | 0.40 | 0.41 | 0.66 | 0.66 | 0.66 |

Note: This table regress Admission Sales and its natural logarithm on vertical integration variables.
Robust standard errors in parentheses, clustered at the theater level. ${ }^{* * *} \mathrm{p}<0.01$, ${ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$

Table 11. Vertical Integration and Box Office Revenues

| Dep Var | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Box Office Revenues |  |  | In [Box Office Revenues] |  |  |
| Theater Ever Integ? | $\underset{(1220.86)}{-1263.64}$ | $\begin{aligned} & 424.11 \\ & (1008.56) \end{aligned}$ | $\underset{(1006.50)}{450.08}$ |  |  |  |
| Theater Integ? | $\underset{(848.05)}{2,921.71^{* * *}}$ | $\underset{(779.37)}{565.24}$ | $\begin{array}{r} 455.85 \\ (785.64) \end{array}$ | $\underset{(0.03)}{0.094^{* * *}}$ | $\underset{(0.06)}{0.155^{* * *}}$ | $\underset{(0.06)}{0.165^{* * *}}$ |
| No Screens | $\underset{(1825.51)}{4,676.69 * *}$ | $\underset{(1846.27)}{6,197.46^{* * *}}$ | $\underset{(1856.40)}{6,231.92 * * *}$ |  |  |  |
| Capacity per Screen | $\underset{(1.79)}{7.16 * * *}$ | $\underset{(1.50)}{7.62 * * *}$ | $\underset{(1.50)}{7.63 * * *}$ |  |  |  |
| Years TV Intro | $\underset{(155.98)}{780.06 * * *}$ | $\underset{(106.17)}{-163.66}$ | $\begin{aligned} & -22.81 \\ & (257.27) \end{aligned}$ | $\underset{(0.02)}{0.029 *}$ | $\underset{(0.01)}{0.032 * * *}$ | $\underset{(0.01)}{0.029 * * *}$ |
| HHI | $\underset{(0.46)}{-1.87 * * *}$ | $\begin{gathered} -0.17 * \\ (0.09) \end{gathered}$ | $\begin{gathered} -0.19^{*} \\ (0.11) \end{gathered}$ | $\underset{(0.00001)}{-0.00002^{* *}}$ | $\underset{(0.00001)}{-0.00001^{*}}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ |
| Theater Ever Integ?*YearWeek |  |  |  | $\begin{gathered} 0.000256 \\ (0.001) \end{gathered}$ |  |  |
| Theater Integ?*YearWeek |  |  |  | $\begin{gathered} -0.00037 \\ (0.001) \end{gathered}$ |  |  |
| YearWeek |  |  |  | $\underset{(0.0001)}{-0.0015 * * *}$ |  |  |
| Theater Ever Integ?*YearMonth |  |  |  |  | $0.000811$ $(0.001)$ |  |
| Theater Integ?*YearMonth |  |  |  |  | $\underset{(0.001)}{-0.000797}$ |  |
| YearMonth |  |  |  |  | $\underset{(0.001)}{-0.0031^{* * *}}$ |  |
| Theater Ever Integ?*Year |  |  |  |  |  | $\begin{gathered} 0.010 \\ (0.008) \end{gathered}$ |
| Theater Integ?*Year |  |  |  |  |  | $\begin{gathered} -0.010 \\ (0.009) \end{gathered}$ |
| Year |  |  |  |  |  | $\begin{gathered} -0.034^{* * *} \\ (0.009) \end{gathered}$ |
| Constant | $\begin{gathered} -5769.790072 \\ (4,352.24) \end{gathered}$ | $\begin{gathered} -7415.93 * \\ (4,028.56) \end{gathered}$ | $\begin{gathered} -7590.68^{*} \\ (4,136.70) \end{gathered}$ | $\begin{gathered} 9.289^{* * * *} \\ (0.029) \end{gathered}$ | $\begin{gathered} 9.292 * * * \\ (0.035) \end{gathered}$ | $\begin{gathered} 9.294^{* * *} \\ (0.039) \end{gathered}$ |
| City FE | No | Yes | Yes | No | No | No |
| Year FE | No | No | Yes | Yes | No | No |
| Theater FE | No | No | No | Yes | Yes | Yes |
| Observations | 106,665 | 106,665 | 106,665 | 106,665 | 106,665 | 106,665 |
| R-squared | 0.28 | 0.46 | 0.46 | 0.68 | 0.68 | 0.68 |

Note: This table regress Box Office Revenues and its natural logarithm on vertical integration variables.
Robust standard errors in parentheses, clustered at the theater level. *** $\mathrm{p}<0.01,{ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$

Table 12. Vertical Integration, Admissions Sales and Box Office Revenues After Dropping Observations with Joint Reporting

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dep Var |  | Admissions |  | In [Admissions] |  |  | Box Office Revenues |  |  | In [Box Office Revenues] |  |  |
| Theater Ever Integ? | $\begin{gathered} -1971.41^{* *} \\ (940.71) \end{gathered}$ | $\begin{gathered} -506.14 \\ (754.21) \end{gathered}$ | $\begin{gathered} -450.59 \\ (754.80) \end{gathered}$ |  |  |  | $\begin{gathered} -1781.08 \\ (1312.28) \end{gathered}$ | $\begin{gathered} 22.96 \\ (1067.99) \end{gathered}$ | $\begin{gathered} 93.36 \\ (1062.58) \end{gathered}$ |  |  |  |
| Theater Integ? | $\underset{(631.96)}{2,644.71^{* * *}}$ | $\underset{(609.81)}{1,071.56^{*}}$ | $\begin{gathered} 829.66 \\ (614.62) \end{gathered}$ | $\underset{(0.03)}{0.07^{* * *}}$ | $\begin{aligned} & 0.06 \\ & (0.05) \end{aligned}$ | $\begin{gathered} 0.07 \\ (0.05) \end{gathered}$ | $\underset{(948.33)}{2,271.69 * *}$ | $\begin{gathered} -126.80 \\ (904.00) \end{gathered}$ | $\begin{gathered} -326.74 \\ (924.81) \end{gathered}$ | $\underset{(0.03)}{0.08^{* * *}}$ | $\begin{gathered} 0.20^{* * *} \\ (0.05) \end{gathered}$ | $\begin{gathered} 0.22 * * * \\ (0.06) \end{gathered}$ |
| No Screens | $\underset{(1550.70)}{3,827.73 * *}$ | $\underset{(1289.33)}{4,581.07 * * *}$ | $\underset{(1290.71)}{4,604.37 * * *}$ |  |  |  | $\underset{(1800.83)}{4,540.80^{* *}}$ | $\underset{(1937.74)}{6,113.88^{* * *}}$ | $\underset{(1950.11)}{6,161.17^{* * *}}$ |  |  |  |
| Capacity per Screen | $\underset{(0.68)}{6.08^{* * *}}$ | $\underset{(0.55)}{6.16^{* * *}}$ | $\underset{(0.54)}{6.18^{* * *}}$ |  |  |  | $\underset{(1.86)}{7.50^{* * *}}$ | $\begin{gathered} 7.89 * * * \\ (1.57) \end{gathered}$ | $\underset{(1.58)}{7.93 * * *}$ |  |  |  |
| Years TV Intro | $\begin{gathered} -331.66^{* * *} \\ (82.10) \end{gathered}$ | $\begin{gathered} -1030.59 * * * \\ (107.75) \end{gathered}$ | $\underset{(274.73)}{-957.99 * * *}$ | $\begin{gathered} -0.019 \\ (0.012) \end{gathered}$ | $\begin{gathered} -0.008 \\ (0.009) \end{gathered}$ | $\begin{gathered} -0.013 \\ (0.009) \end{gathered}$ | $\begin{gathered} 692.48^{* * *} \\ (177.57) \end{gathered}$ | $\begin{gathered} -369.06 * * * \\ (113.79) \end{gathered}$ | $\begin{gathered} -575.56 * * \\ (263.98) \end{gathered}$ | $\begin{gathered} -0.011 \\ (0.012) \end{gathered}$ | $\begin{aligned} & 0.008 \\ & (0.008) \end{aligned}$ | $\begin{gathered} 0.004 \\ (0.009) \end{gathered}$ |
| HHI | $\underset{(0.20)}{-1.02^{* * *}}$ | $\begin{gathered} -0.13 \\ (0.08) \end{gathered}$ | $\begin{gathered} -0.03 \\ (0.10) \end{gathered}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ | $\begin{gathered} -1.88^{* * *} \\ (0.49) \end{gathered}$ | $\begin{gathered} -0.15 \\ (0.10) \end{gathered}$ | $\begin{gathered} -0.17 \\ (0.12) \end{gathered}$ | $\underset{(0.00001)}{-0.00002^{* *}}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ | $\underset{(0.00001)}{-0.00001^{* *}}$ |
| Theater Ever Integ?*YearWeek |  |  |  | $\begin{gathered} -0.0003 \\ (0.001) \end{gathered}$ |  |  |  |  |  | $\begin{gathered} 0.0003 \\ (0.001) \end{gathered}$ |  |  |
| Theater Integ?*YearWeek |  |  |  | $\begin{gathered} -0.0002 \\ (0.001) \end{gathered}$ |  |  |  |  |  | $\begin{gathered} -0.0006^{*} \\ (0.000) \end{gathered}$ |  |  |
| YearWeek |  |  |  | $\underset{(0.001)}{-0.0018 * * *}$ |  |  |  |  |  | $\underset{(0.001)}{-0.0014^{* * *}}$ |  |  |
| Theater Ever Integ?*YearMonth |  |  |  |  | $\begin{gathered} -0.0011^{*}(0.001) \end{gathered}$ |  |  |  |  |  | $\underset{(0.001)}{0.000451}$ |  |
| Theater Integ?*YearMonth |  |  |  |  | $\begin{gathered} -0.0005 \\ (0.001) \end{gathered}$ |  |  |  |  |  | $\underset{(0.001)}{-0.0022 * * *}$ |  |
| YearMonth |  |  |  |  | $\underset{(0.001)}{-0.0037 * * *}$ |  |  |  |  |  | $\underset{(0.001)}{-0.0017 * * *}$ |  |
| Theater Ever Integ?*Year |  |  |  |  |  | $\begin{gathered} -0.012 \\ (0.008) \end{gathered}$ |  |  |  |  |  | $\begin{gathered} 0.0059 \\ (0.009) \end{gathered}$ |
| Theater Integ?*Year |  |  |  |  |  | $\begin{gathered} -0.007 \\ (0.007) \end{gathered}$ |  |  |  |  |  | $\underset{(0.008)}{-0.0268 * * *}$ |
| Year |  |  |  |  |  | $\underset{(0.008)}{-0.0397 * *}$ |  |  |  |  |  | $\underset{(0.008)}{-0.0166^{* *}}$ |
| Constant | $\begin{gathered} -199.304 \\ (2066.942) \end{gathered}$ | $\begin{gathered} -494.853 \\ (1778.108) \end{gathered}$ | $\begin{gathered} 314.51 \\ (1,743.06) \end{gathered}$ | $\underset{(0.024)}{9.561 * * *}$ | $\underset{(0.030)}{9.582^{* * *}}$ | $\underset{(0.033)}{9.587^{* * *}}$ | $\begin{gathered} -5938.884 \\ (4516.646) \end{gathered}$ | $\begin{gathered} -7537.355^{*} \\ (4240.929) \end{gathered}$ | $\begin{gathered} -7638.24^{*} \\ (4,337.21) \end{gathered}$ | $\underset{(0.026)}{9.299 * * *}$ | $\underset{(0.033)}{9.256 * * *}$ | $\underset{(0.037)}{9.249 * * *}$ |
| City FE | No | Yes | Yes | No | No | No | No | Yes | Yes | No | No | No |
| Year FE | No | No | Yes | Yes | No | No | No | No | Yes | Yes | No | No |
| Theater FE | No | No | No | Yes | Yes | Yes | No | No | No | Yes | Yes | Yes |
| Observations | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 | 97,089 |
| R-squared | 0.36 | 0.45 | 0.46 | 0.71 | 0.71 | 0.71 | 0.30 | 0.49 | 0.49 | 0.73 | 0.72 | 0.72 |

Note: This table regresses Admissions Sales and Box Office Revenues (and their) natural logarithm on vertical integration variables. I drop observations from cities and years with joint reporting
Robust standard errors in parentheses, clustered at the theater level. *** $\mathrm{p}<0.01,{ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$

Table 13. Cross-Sectional Analysis at the Theater-Movie Level

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dep Var | Evening Price |  |  | Matinee Price |  |  | Admissions per Movie |  |  | Box Office per Movie |  |  |
| Theater Ever Integ? | -0.004 | 0.016 | 0.013 | -0.010 | -0.028* | -0.033** | -1244.92* | -420.65 | -357.16 | -1102.33 | 78.17 | 111.97 |
|  | ${ }^{(0.034)}$ | ${ }^{(0.028)}$ | ${ }^{(0.027)}$ | ${ }^{(0.020)}$ | ${ }^{(0.014)}$ | (0.014) | (733.39) | (654.24) | (652.48) | (999.14) | (884.48) | (883.13) |
| Theater Integ? | 0.009 | -0.030* | -0.024 | -0.001 | -0.007 | 0.004 | 3251.46*** | 1534.30*** | 1288.27** | 3279.94*** | 1051.58* | 919.21 |
|  | (0.025) | (0.016) | (0.015) | (0.013) | (0.010) | (0.009) | (538.99) | (532.61) | (518.96) | (731.49) | (597.17) | (591.17) |
| Theater Integ, Studio Movie? | -0.003 | 0.006 | -0.001 | 0.022 | 0.017 | 0.007 | 378.79 | 1150.82 | 1190.13 | -4.02 | 799.05 | 807.53 |
|  | ${ }^{(0.042)}$ | (0.025) | (0.024) | (0.017) | (0.011) | (0.011) | (979.70) | (841.84) | (829.65) | (1297.01) | (797.40) | (787.76) |
| Theater Ever Integ, Studio Movie? | 0.010 | -0.021 | -0.016 | -0.014 | -0.012 | -0.005 | 15.25 | -1223.49 | -1205.86 | -76.49 | -1765.03 | -1734.82 |
|  | (0.048) | (0.028) | (0.027) | (0.015) | (0.010) | (0.010) | (894.49) | (812.54) | (793.51) | (2084.97) | (1769.42) | (1767.76) |
| Movie Big Five? | -0.049** | -0.045** | -0.042** | -0.027*** | $-0.018^{* *}$ | $-0.017^{* *}$ | 1240.27*** | 1203.09*** | 1133.50*** | 1401.99** | 1328.69** | 1303.30** |
|  | ${ }^{(0.023)}$ | (0.021) | (0.020) | (0.010) | ${ }^{(0.008)}$ | ${ }^{(0.008)}$ | (340.87) | (259.21) | (251.84) | (680.66) | (526.87) | (527.31) |
| Movie Little Three? | -0.036 | -0.038* | -0.037* | -0.019** | -0.015* | -0.016* | 295.39 | 114.95 | 90.13 | 8.10 | -236.95 | -242.38 |
|  | (0.022) | ${ }_{(0.021)}$ | (0.020) | (0.010) | (0.009) | (0.009) | (223.86) | (204.36) | (203.43) | (311.53) | (278.17) | (276.26) |
| No Screens | -0.030 | -0.016 | -0.012 | -0.055*** | -0.021* | -0.019 | 3414.67*** | 4182.90*** | 4188.53*** | 3918.89*** | 5355.54*** | 5391.84*** |
|  | (0.028) | (0.021) | (0.022) | (0.018) | (0.013) | (0.013) | (1236.73) | (1097.61) | (1090.90) | (1471.87) | (1535.73) | (1541.09) |
| Capacity per Screen | 0.00000 | 0.00001 | 0.00001 | -0.00001* | -0.00001** | $-0.00001^{* *}$ | 4.81*** | $5.18 * * *$ | 5.19*** | 5.73*** | 6.45*** | 6.46*** |
|  | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.59) | (0.52) | (0.52) | (1.51) | (1.35) | (1.35) |
| Years TV Intro | 0.068*** | 0.047*** | 0.025*** | 0.040*** | 0.035*** | -0.002 | -113.69 | -705.71*** | -131.26 | 760.09*** | -142.77 | 117.35 |
|  | (0.004) | (0.003) | (0.005) | (0.002) | (0.002) | (0.003) | (83.91) | (94.56) | (252.63) | (150.29) | (95.97) | (229.32) |
| HHI | -0.00004*** | -0.00001 | $-0.00001$ | 0.000004 | 0.000005* | 0.00001* | $-0.93 * * *$ | -0.18** | -0.08 | -1.61 *** | -0.18** | -0.17** |
|  | (0.00001) | (0.00001) | (0.00001) | (0.00001) | (0.000001) | (0.000001) | (0.17) | (0.07) | (0.09) | (0.40) | (0.08) |  |
| Constant | 0.88*** | 0.87*** | 0.83*** | 0.57*** | 0.55*** | 0.52*** | 95.43 | -325.33 | 632.08 | -4654.75 | -6239.21 | -6221.45 |
|  | (0.07) | (0.05) | (0.05) | (0.03) | (0.02) | (0.02) | (1804.47) | (1669.85) | (1634.07) | (3936.92) | (3817.49) | (3910.98) |
| City FE | No | Yes | Yes | No | Yes | Yes | No | Yes | Yes | No | Yes | Yes |
| Year FE | No | No | Yes | No | No | Yes | No | No | Yes | No | No | Yes |
| Observations | 143,200 | 143,200 | 143,200 | 143,200 | 143,200 | 143,200 | 143,153 | 143,153 | 143,153 | 143,153 | 143,153 | 143,153 |
| R-squared | 0.27 | 0.53 | 0.54 | 0.29 | 0.53 | 0.56 | 0.27 | 0.35 | 0.36 | 0.24 | 0.41 | 0.41 |

Note: This table shows cross-sectional OLS regressions for all four outcome variables using data at the theater-movie level. There are four new variables in this table that have not appeared before in the empirical analysis:
i) "Theater Integ, Studio Movie?" equals 1 if integrated theater at a given point in time shows a movie of that same studio, and 0 otherwise
ii) "Theater Ever Integ, Studio Movie?" equals 1 if integrated theater ever shows a movie of the same studio that at some point owned that theater, and 0 otherwise
iii) "Movie Big Five?" equals 1 if movie was produced by one of the big five studios, RKO, Paramount, Fox, MGM or Warner Brothers, and 0 otherwise.
iv) "Movie Little Three?" equals 1 if movie was produced by Columbia, Universal or United Artists, and 0 otherwise.

Robust standard errors in parentheses, clustered at the theater level. *** $\mathrm{p}<0.01,{ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$.

Table 14. Demand Estimation for Movies

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | OLS | OLS | OLS | OLS | OLS | OLS | OLS | OLS | OLS | 2SLS | 2SLS | 2SLS |
| Evening Price | $\begin{gathered} -1.298^{* * *} \\ (0.106) \end{gathered}$ | $\begin{gathered} -0.469^{* * *} \\ (0.050) \end{gathered}$ | $\begin{gathered} -0.453^{* * *} \\ (0.05) \end{gathered}$ | $-0.447 * * *$ <br> (0.05) | $\begin{gathered} -0.455^{* * *} \\ (0.05) \end{gathered}$ | $\begin{gathered} -0.530^{* * *} \\ (0.067) \end{gathered}$ | $\begin{gathered} -0.513 * * * \\ (0.041) \end{gathered}$ | $\begin{gathered} -0.580 \\ (0.690) \end{gathered}$ | $\begin{gathered} -0.798 * \\ (0.496) \end{gathered}$ | $\begin{gathered} -1.455^{* * *} \\ (0.164) \end{gathered}$ | $\begin{gathered} -0.593 * * * \\ (0.069) \end{gathered}$ | $\begin{gathered} -0.374^{* * *} \\ (0.056) \end{gathered}$ |
| No. Screens | $\begin{gathered} 0.311^{* *} \\ (0.099) \end{gathered}$ |  | $\begin{gathered} 0.295 * * \\ (0.121) \end{gathered}$ |  |  | $\begin{gathered} 0.246 * * \\ (0.111) \end{gathered}$ |  | $\begin{gathered} 0.289 \\ (0.313) \end{gathered}$ |  | $\begin{gathered} 0.308 * * * \\ (0.097) \end{gathered}$ | $\begin{gathered} 0.293 * * \\ (0.120) \end{gathered}$ |  |
| Capacity per Screen | $\begin{gathered} 0.0004^{* * *} \\ (0.0001) \end{gathered}$ |  | $\begin{gathered} 0.0004^{* * *} \\ (0.0001) \end{gathered}$ |  |  | $\begin{gathered} 0.0003^{* * *} \\ (0.0001) \end{gathered}$ |  | $\begin{gathered} 0.0003 \\ (0.0010) \end{gathered}$ |  | $\begin{gathered} 0.0004^{* * *} \\ (0.0001) \end{gathered}$ | $\begin{gathered} 0.0004^{* * *} \\ (0.0001) \end{gathered}$ |  |
| Years TV Intro | $\begin{gathered} -0.087 * * * \\ (0.009) \end{gathered}$ | $\begin{gathered} -0.044^{* * *} \\ (0.005) \end{gathered}$ | $\begin{gathered} 0.045 * * * \\ (0.017) \end{gathered}$ | $\begin{gathered} 0.051^{* * *} \\ (0.016) \end{gathered}$ |  | $\begin{gathered} 0.039 * * \\ (0.015) \end{gathered}$ | $\begin{gathered} 0.052^{* * *} \\ (0.015) \end{gathered}$ |  |  | $\begin{gathered} -0.076^{* * *} \\ (0.012) \end{gathered}$ | $\begin{gathered} 0.047 * * * \\ (0.016) \end{gathered}$ | $\begin{gathered} 0.050^{* * *} \\ (0.015) \end{gathered}$ |
| HHI | $\begin{gathered} 0.00004^{* *} \\ (0.00002) \end{gathered}$ | $\begin{gathered} -0.00003^{* * *} \\ (0.00001) \end{gathered}$ | $\underset{(0.00001)}{-0.00003^{* * *}}$ | $\begin{gathered} -0.00002^{* * *} \\ (0.00001) \end{gathered}$ |  | $\begin{gathered} -0.00002 \\ (0.00001) \end{gathered}$ | $\begin{gathered} -0.00002^{* * *} \\ (0.00001) \end{gathered}$ |  |  | $\begin{gathered} 0.00003 * \\ (0.00001) \end{gathered}$ | $\begin{gathered} -0.00003^{* * *} \\ (0.00001) \end{gathered}$ | $\begin{gathered} -0.00002^{* * *} \\ (0.00001) \end{gathered}$ |
| Constant | $\begin{gathered} -4.208^{* * *} \\ (0.189) \end{gathered}$ | $\begin{gathered} -3.939 * * * \\ (0.044) \end{gathered}$ | $\begin{gathered} -5.363^{* * *} \\ (0.178) \end{gathered}$ | $\begin{gathered} -3.858^{* * *} \\ (0.055) \end{gathered}$ | $\begin{gathered} -4.716^{* * *} \\ (0.051) \end{gathered}$ | $-4.364^{* * *}$ <br> (0.186) | $\begin{gathered} -3.248^{* * *} \\ (0.065) \end{gathered}$ | $\begin{gathered} -4.915^{* * *} \\ (0.822) \end{gathered}$ | $\begin{gathered} -4.104^{* * *} \\ (0.514) \end{gathered}$ | $\begin{gathered} -4.079 * * * \\ (0.218) \end{gathered}$ | $\begin{gathered} -4.918^{* * *} \\ (0.180) \end{gathered}$ | $\begin{gathered} -3.596 * * * \\ (0.054) \end{gathered}$ |
| Theater FE | No | Yes | No | Yes | Yes | No | Yes | No | Yes | No | No | Yes |
| City FE | No | No | Yes | No | No | Yes | No | No | No | No | Yes | No |
| Year/Week FE | No | No | Yes | Yes | No | Yes | Yes | No | No | No | Yes | Yes |
| City/Year/Week FE | No | No | No | No | Yes | No | No | No | No | No | No | No |
| Movie FE | No | No | No | No | No | Yes | Yes | No | No | No | No | No |
| Movie/City/Year/Week FE | No | No | No | No | No | No | No | Yes | Yes | No | No | No |
| Observations | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 | 138,465 |
| R-squared | 0.49 | 0.82 | 0.75 | 0.83 | 0.86 | 0.796 | 0.854 | 0.98 | 0.99 | 0.49 | 0.75 | 0.83 |

Note: The dependent variable is natural logarithm of market share of a movie in a given city and week, that is, admission sales divided by city population.
The last three columns show 2SLS regressions where I use Matinee Price as an instrument for Evening Price.
Robust standard errors in parentheses, clustered at the theater level. ${ }^{* * *} \mathrm{p}<0.01,{ }^{* *} \mathrm{p}<0.05,{ }^{*} \mathrm{p}<0.1$.


[^0]:    *This paper benefitted from discussions with Heski Bar-Isaac and Liran Einav as well as comments from seminar and conference participants at ISNIE - Stanford, Universitat de Barcelona, UC-Santa Cruz and MIT. Joe Cook and Susan Van Loon provided supreme research assistance for this project. The usual disclaimer applies.

[^1]:    ${ }^{1}$ Coincidentally, 1939 left one of the best vintages in motion picture history with pieces such as "Gone with the Wind" and "Wuthering Heights."

[^2]:    ${ }^{2}$ Surprisingly enough, there was no mention at any given point of the introduction of television as potential source of competition.

[^3]:    ${ }^{3}$ They also offered information for a limited number of weeks for Toronto and Montreal in Canada, and London in the UK. As this paper only focuses in the US, I leave that information out of the analysis.
    ${ }^{4}$ As some theaters changed names during this time period, I was able to recover that information from cinematreasures.com and include it in the table with green color.

[^4]:    ${ }^{5}$ I chose Radio City Music Hall in New York City because Variety reported prices for this theater for every week during the 11 years I collected data for.
    ${ }^{6}$ This website has also been used by Takahashi (2011).

[^5]:    ${ }^{7}$ Reports in www.cinematreasures.com seem to indicate that reseatings and theater restructuring never changed drastically the number of seats of a theater.

[^6]:    ${ }^{8}$ See Bajari, Fox and Ryan (2008) for an application to cellular demand estimation. Conlon and Mortimer (2011) are also concerned with this issue, even though here I follow more closely the approach in Fox (2007).

